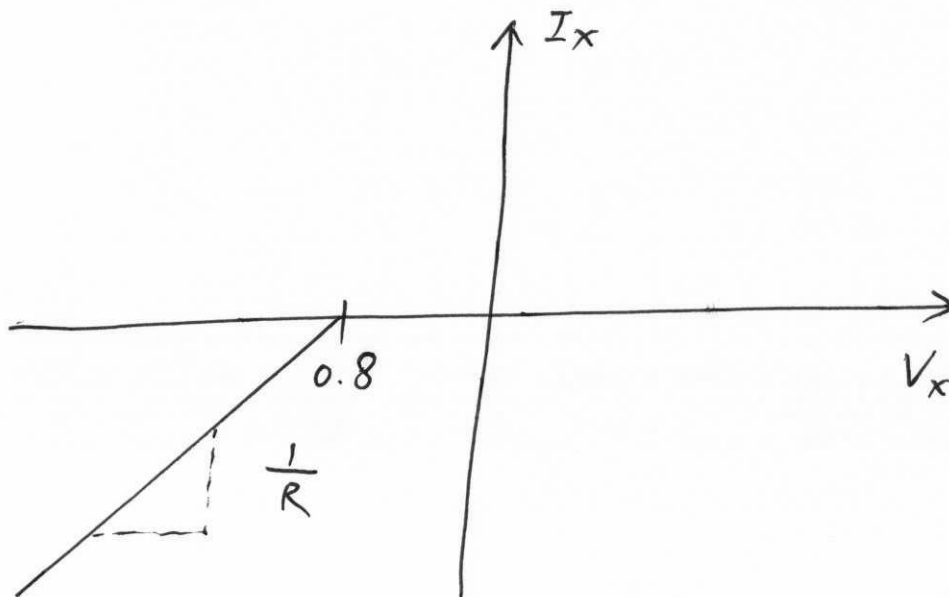
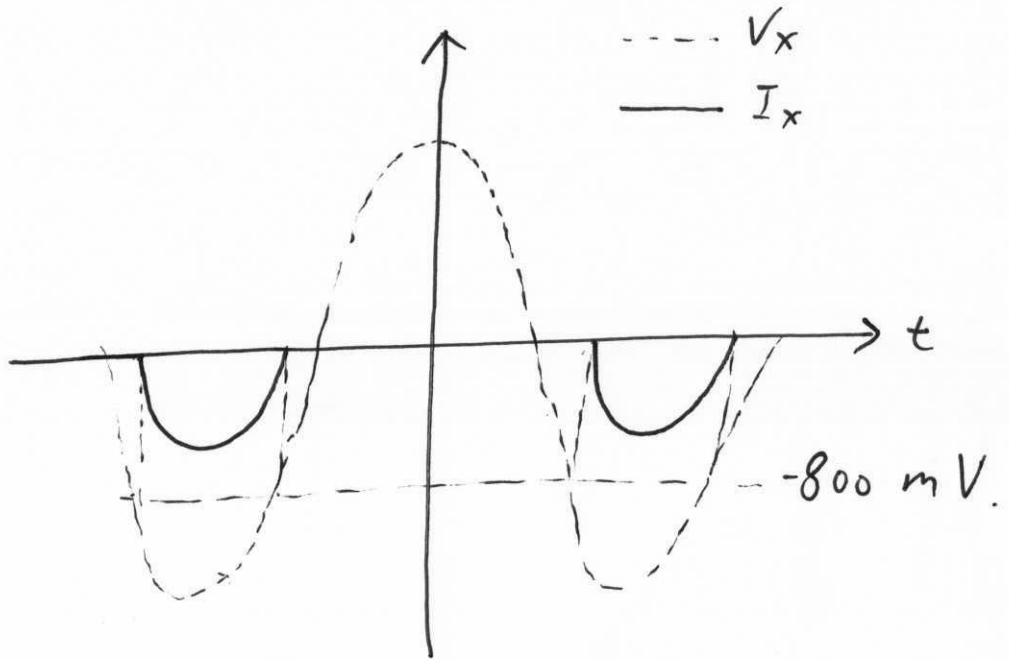


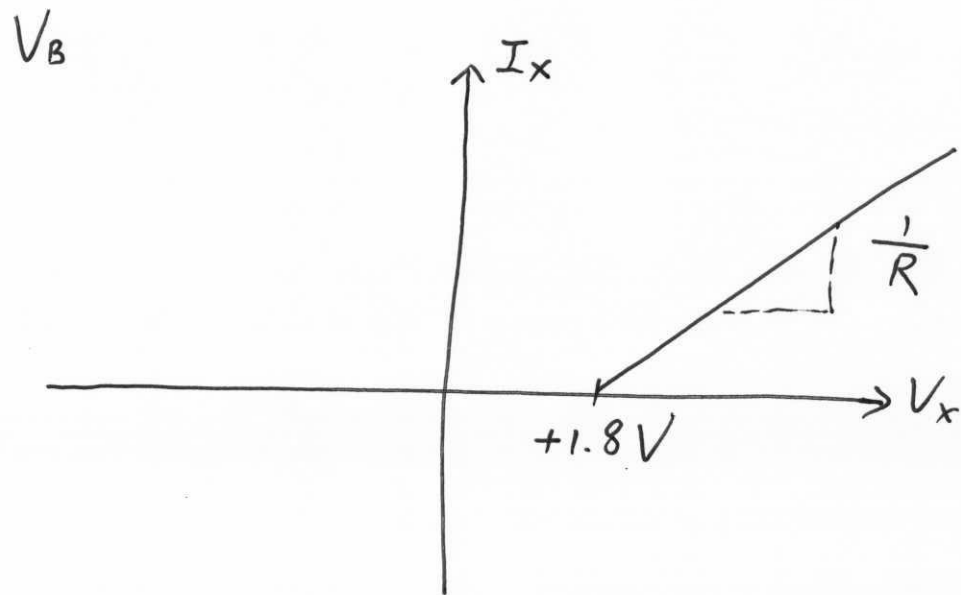
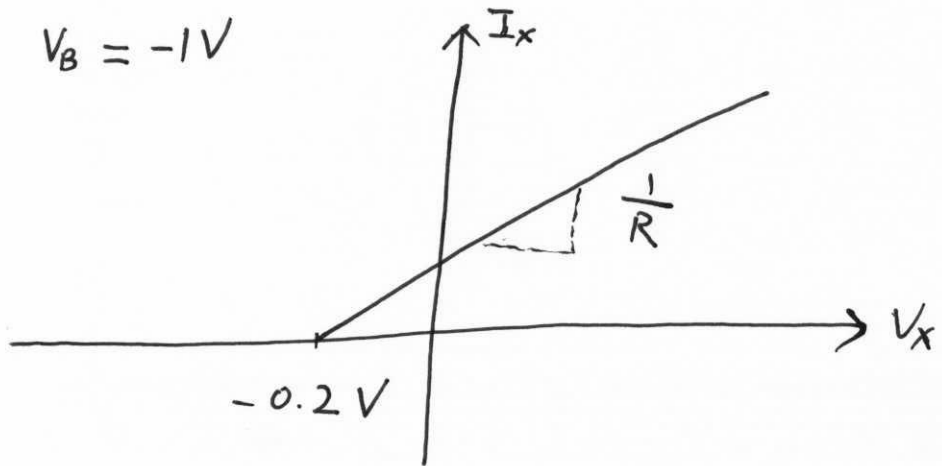
①



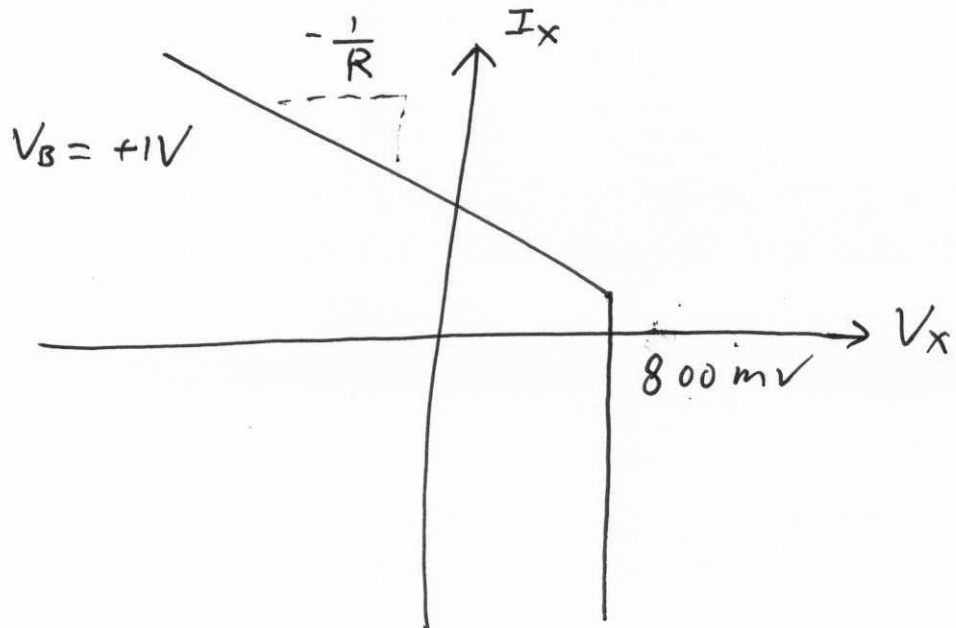
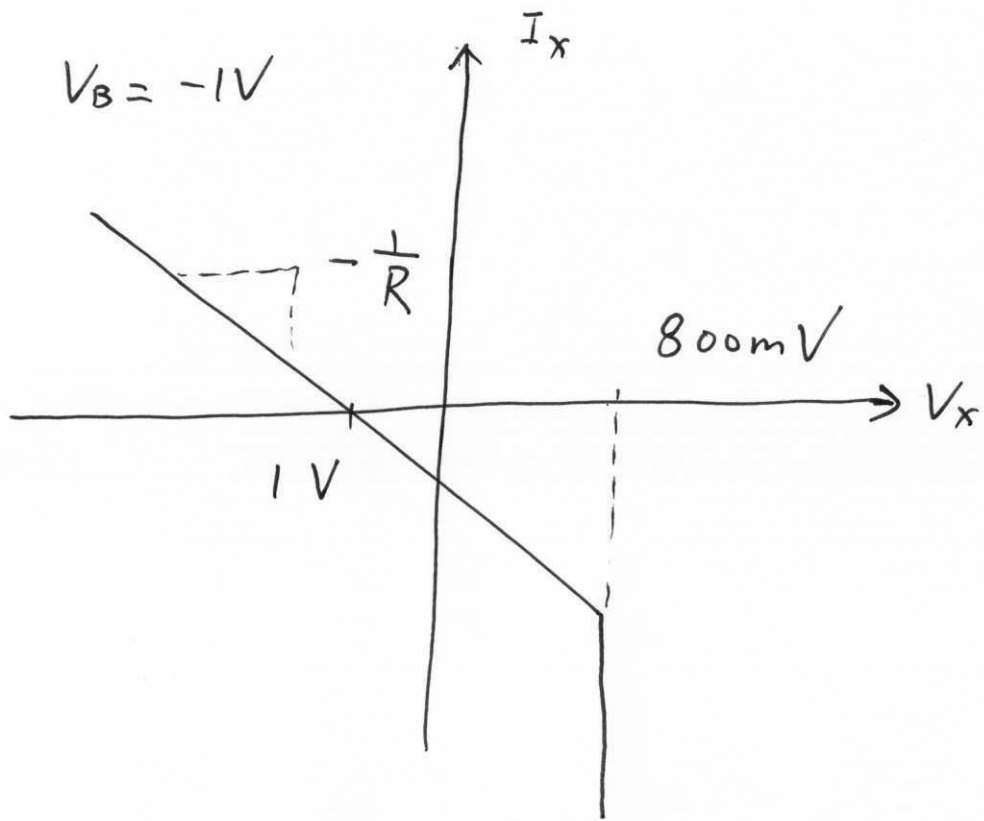
(2)



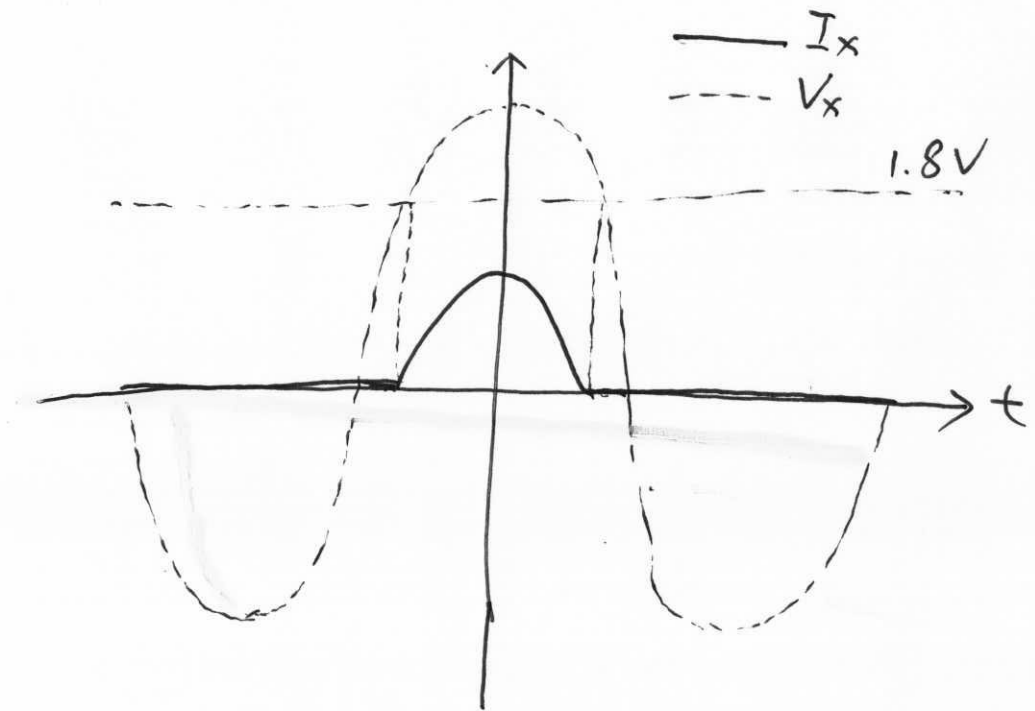
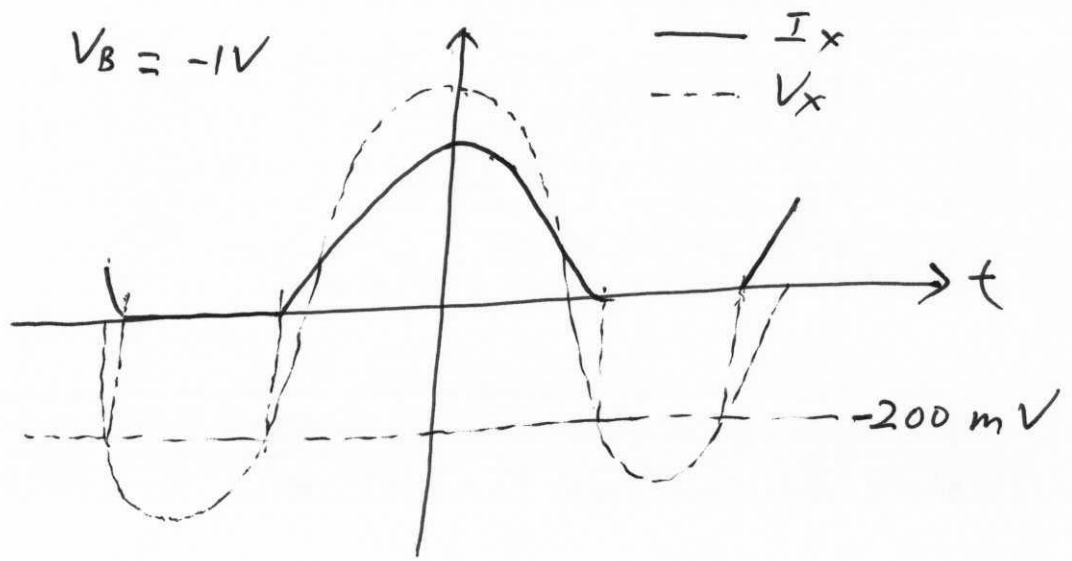
③



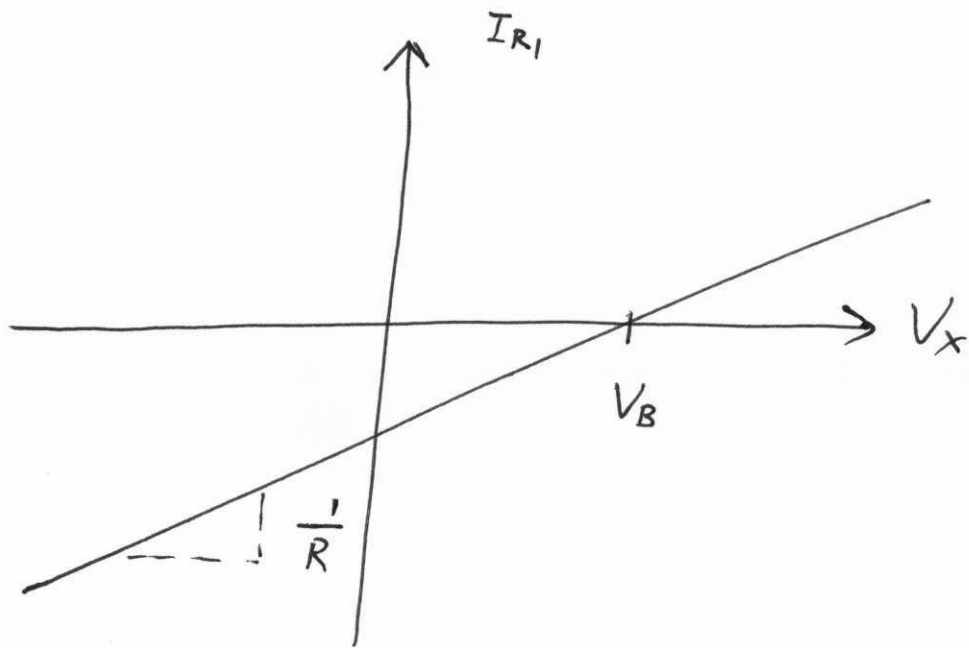
④



⑤



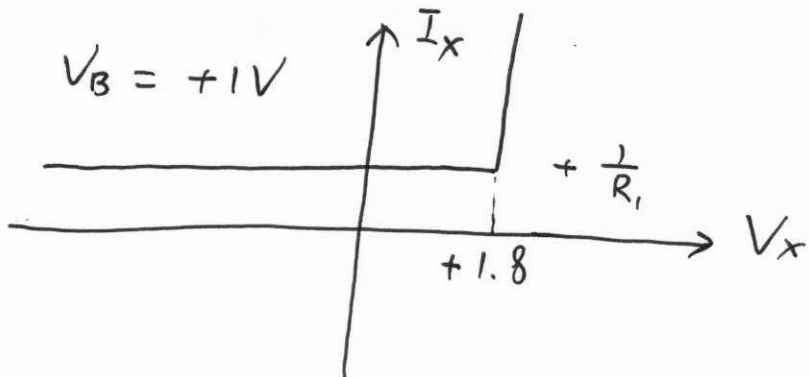
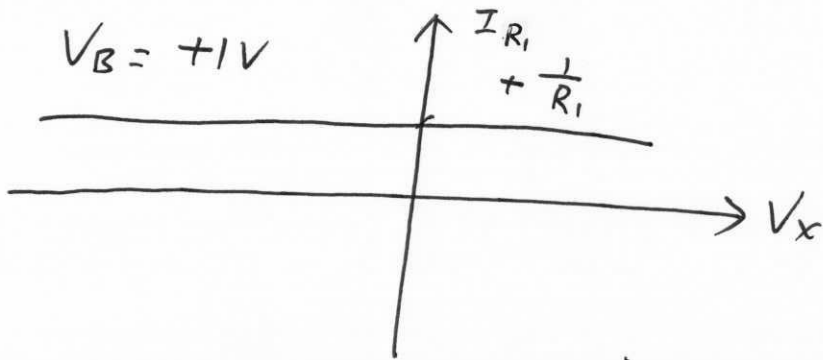
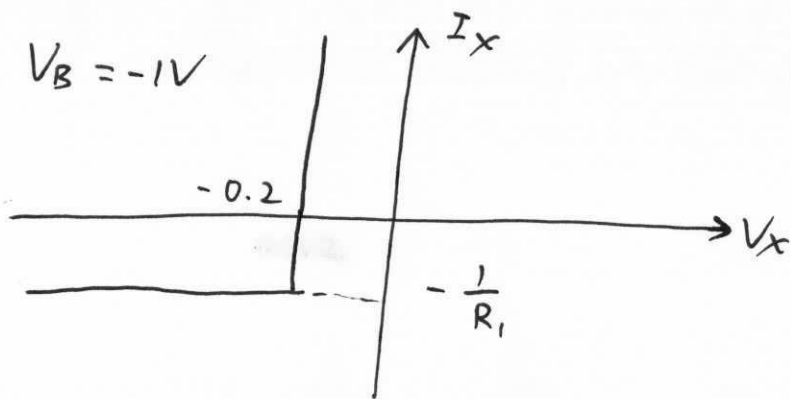
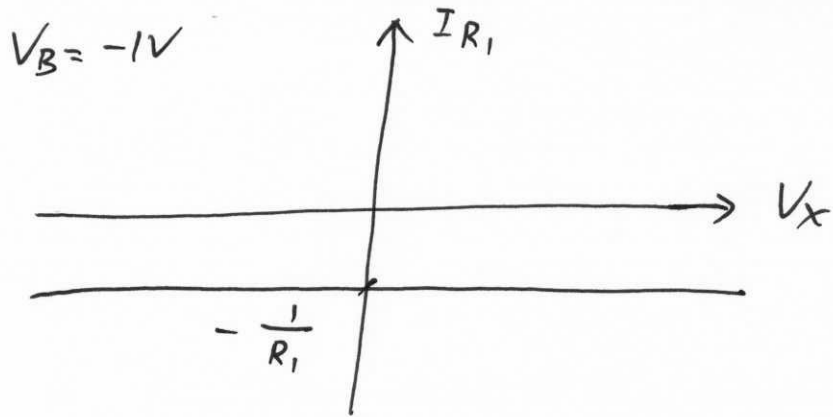
⑥



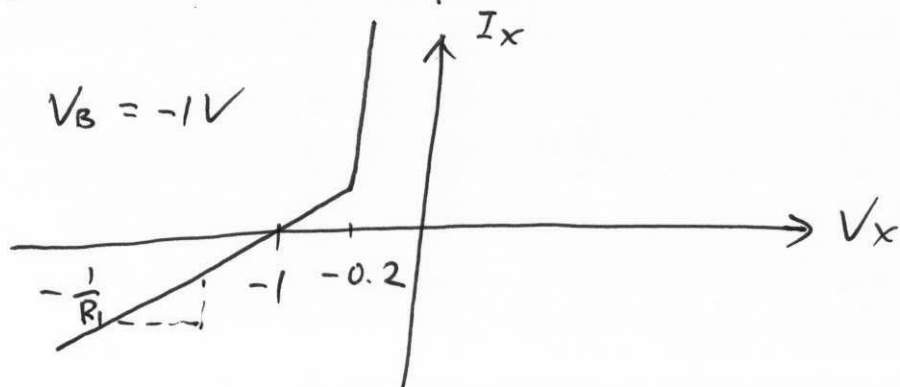
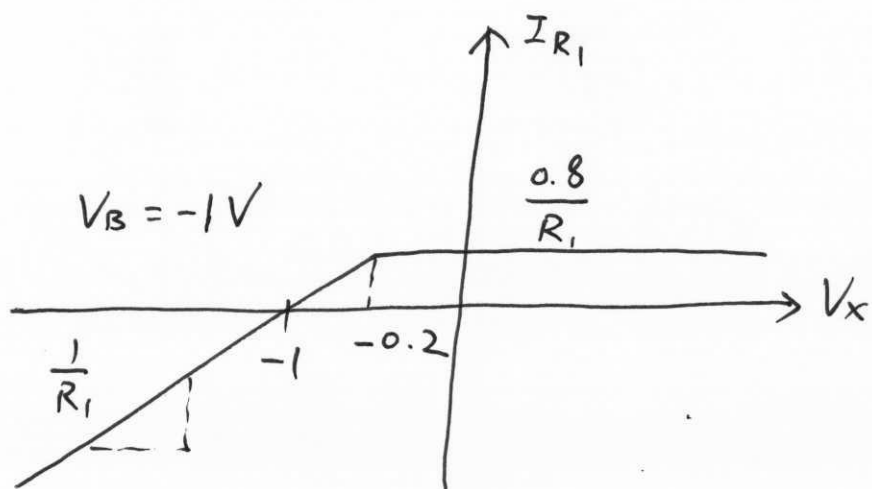
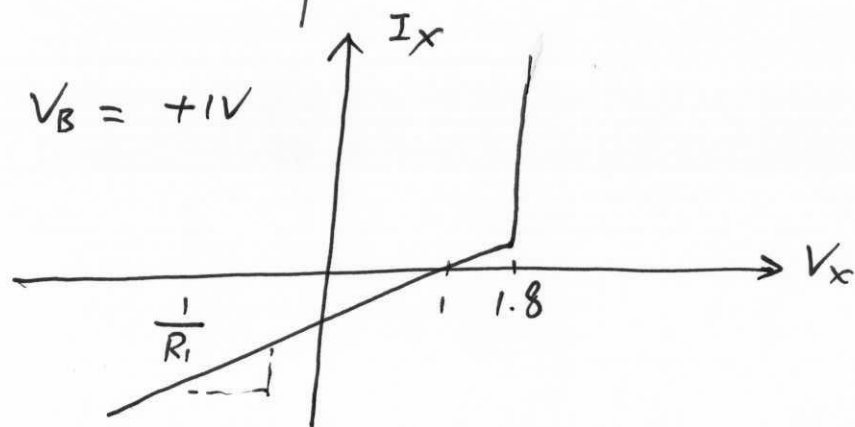
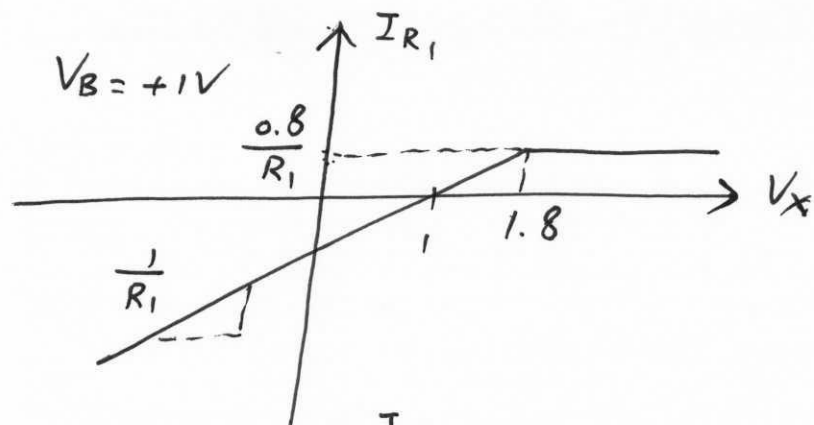
$I_{D_1} = 0$ for all V_x

($\because V_B > 0$, D_1 is reverse-biased)

(7)

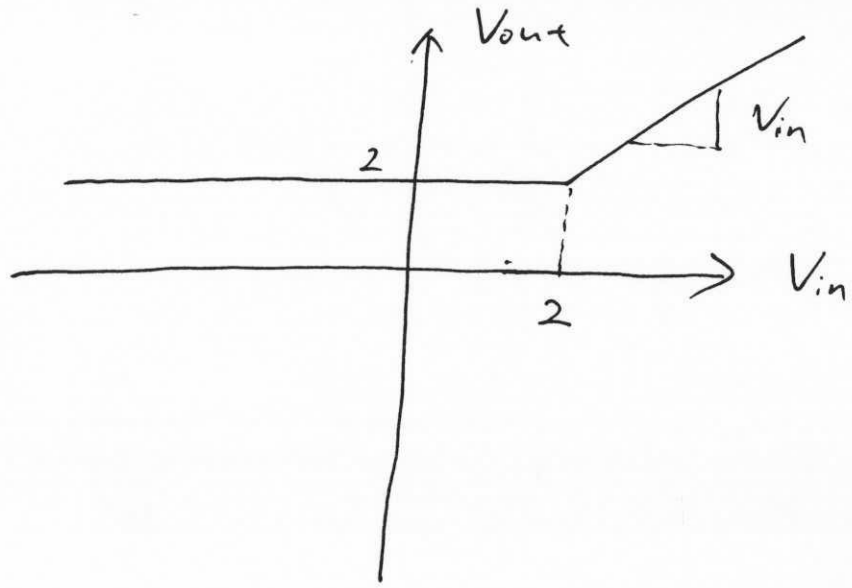


(8)

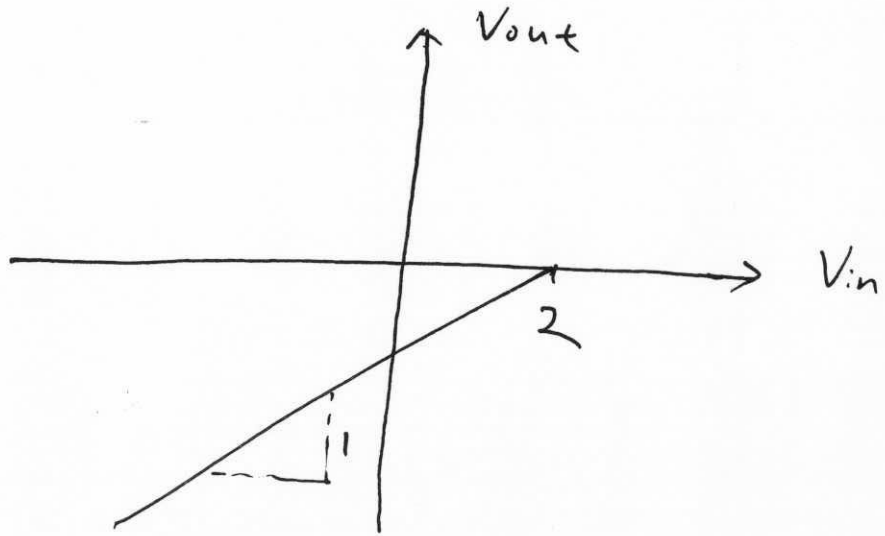


(9)

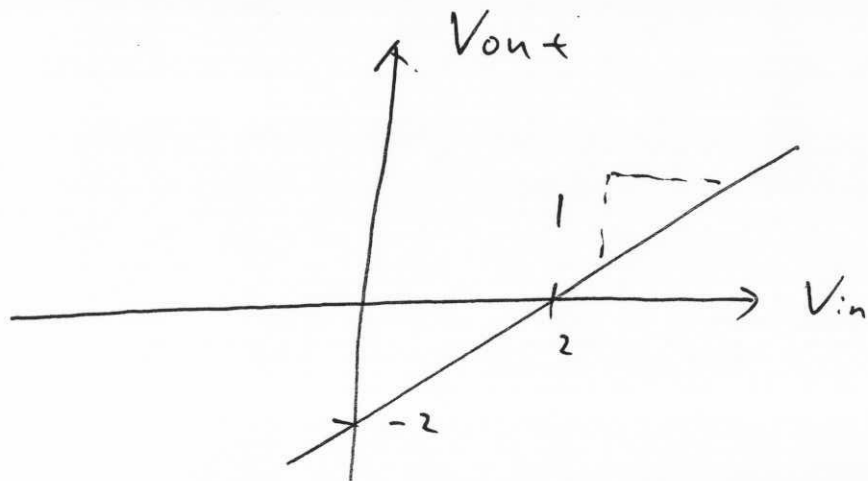
a)



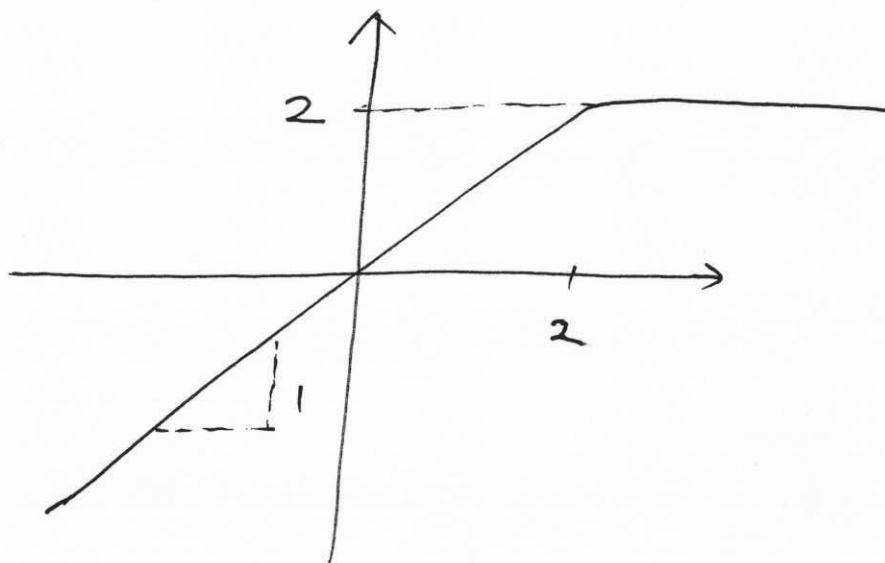
b)



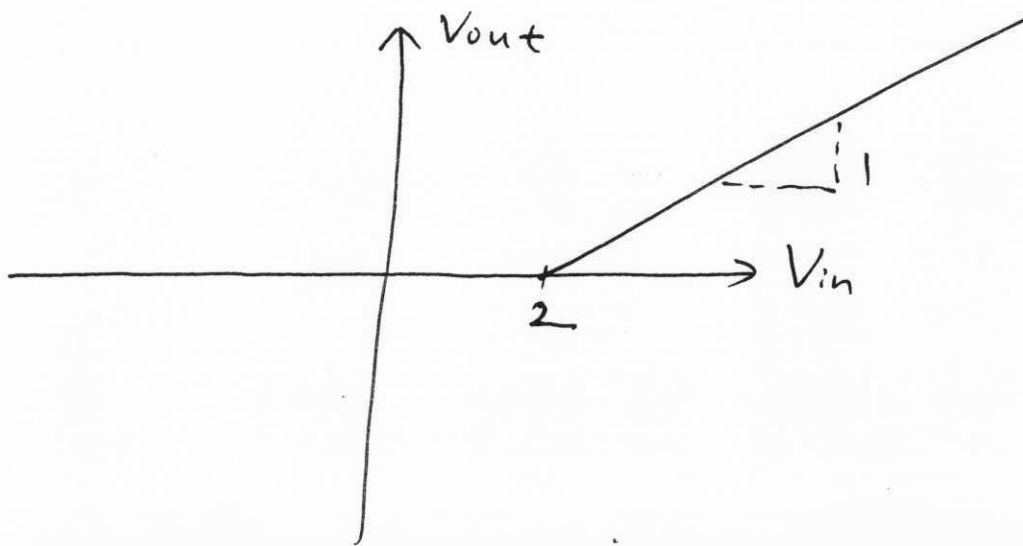
c)



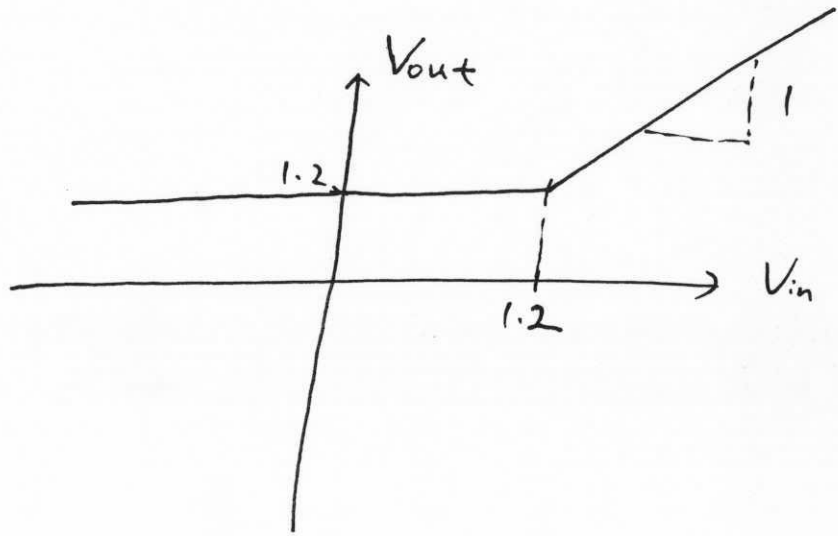
d)



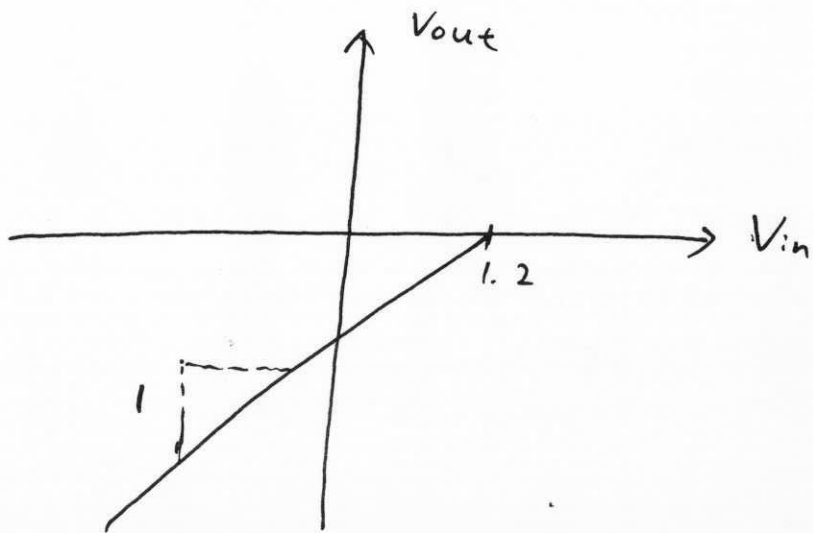
e)



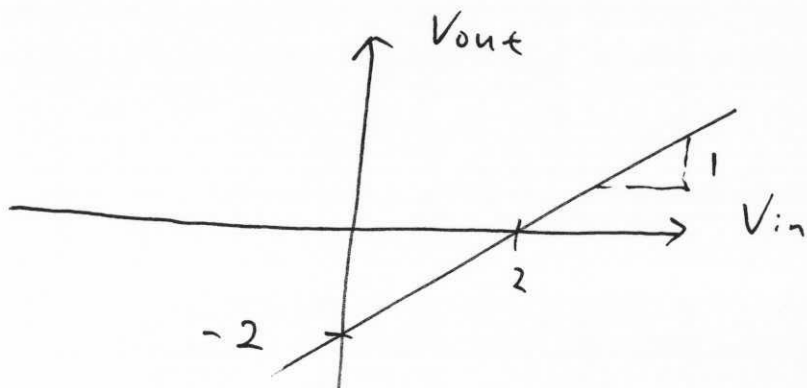
10 a)



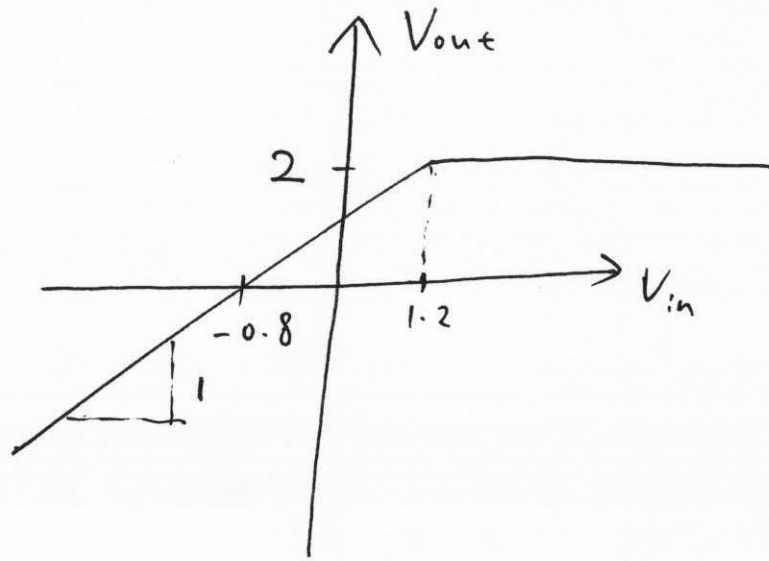
b)



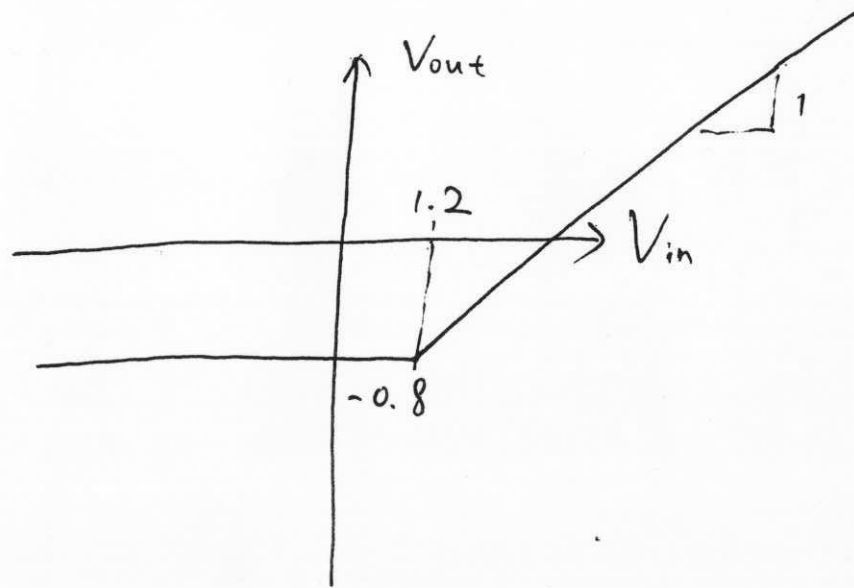
c)



d)

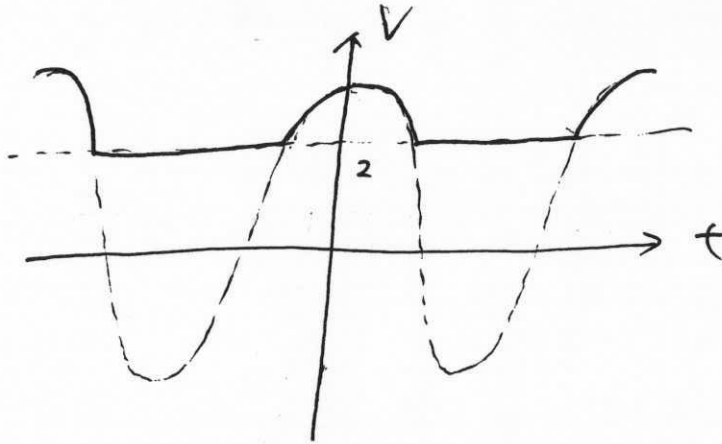


e)



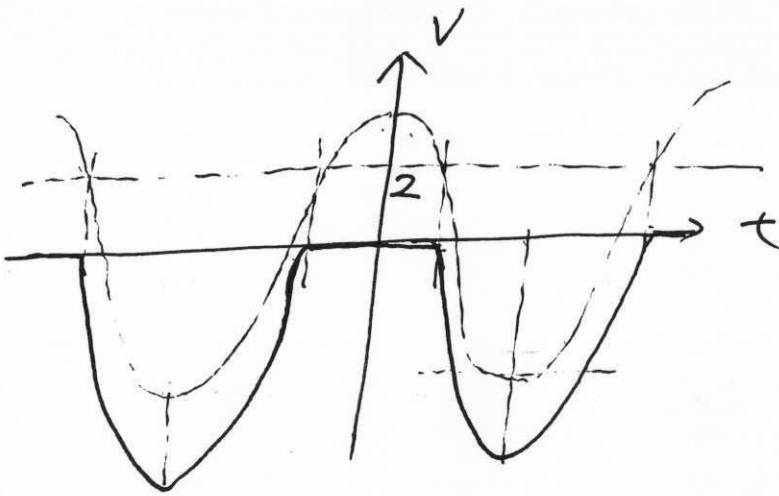
(11)

a)



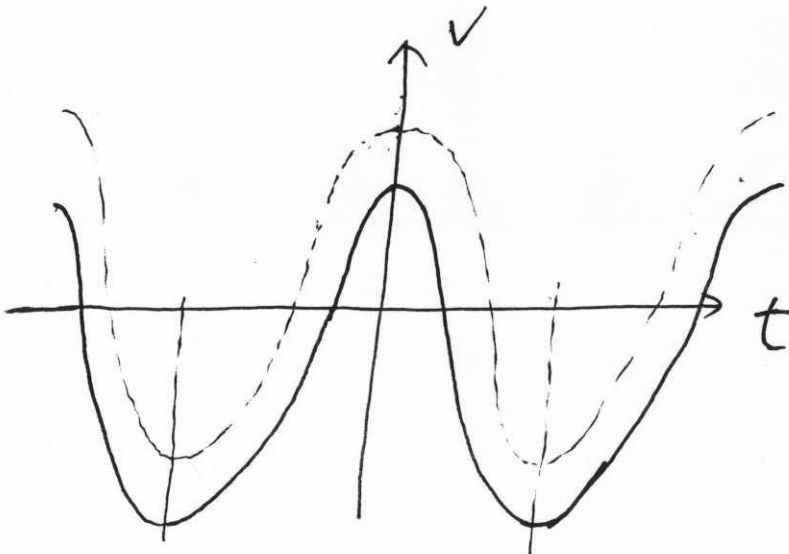
— V_{out}
- - - V_{in}

b)



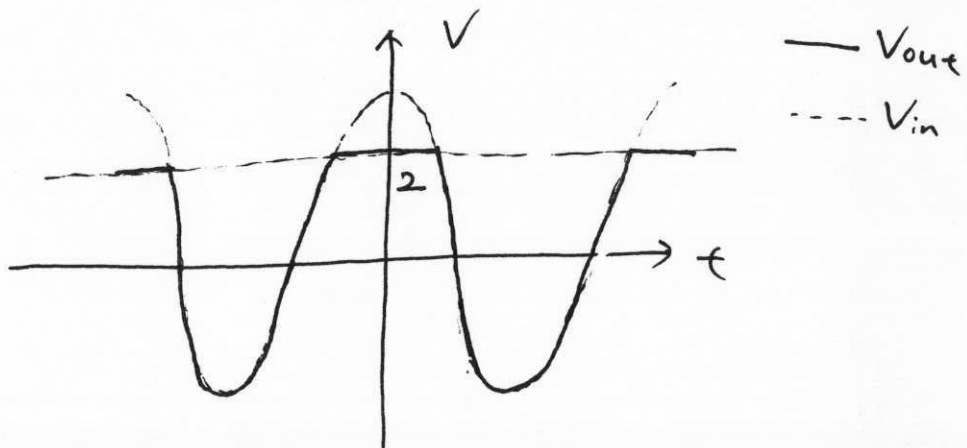
— V_{out}
- - - V_{in}

c)

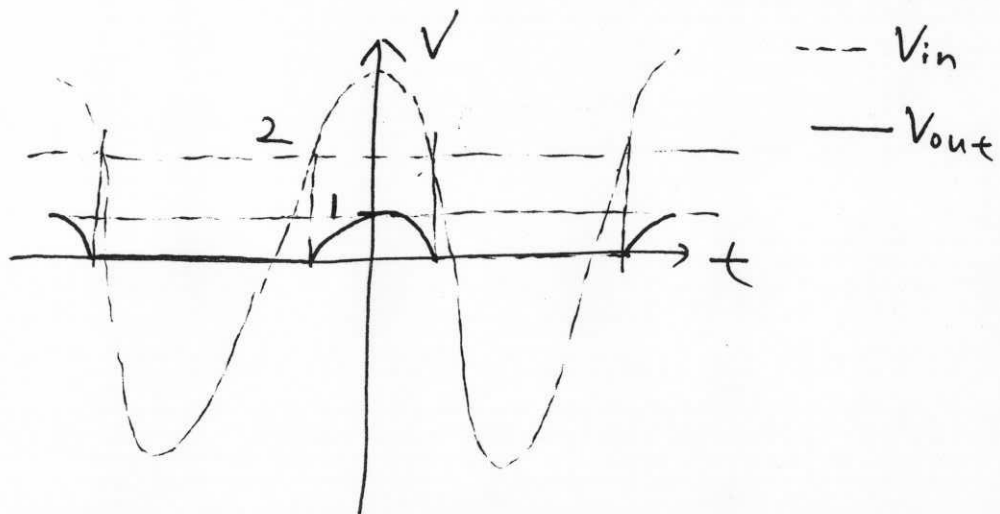


— V_{out}
- - - V_{in}

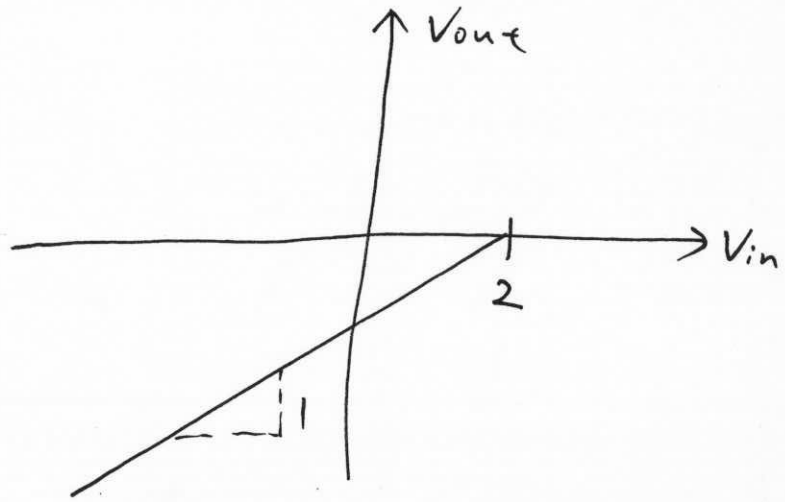
d)



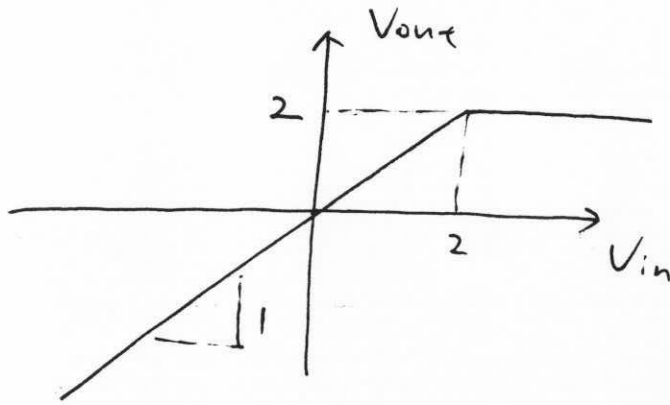
e)



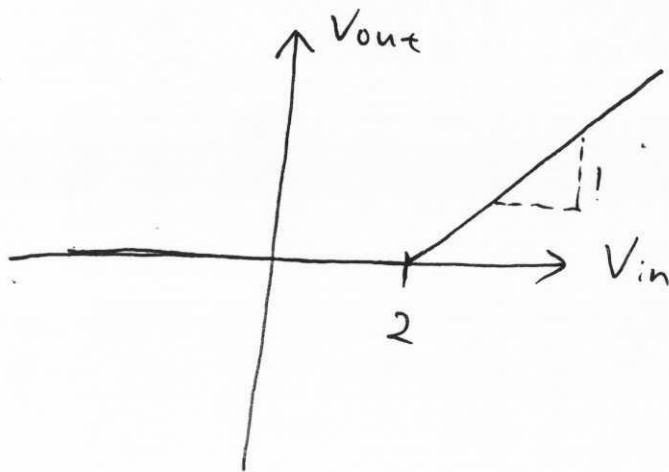
(12) a)



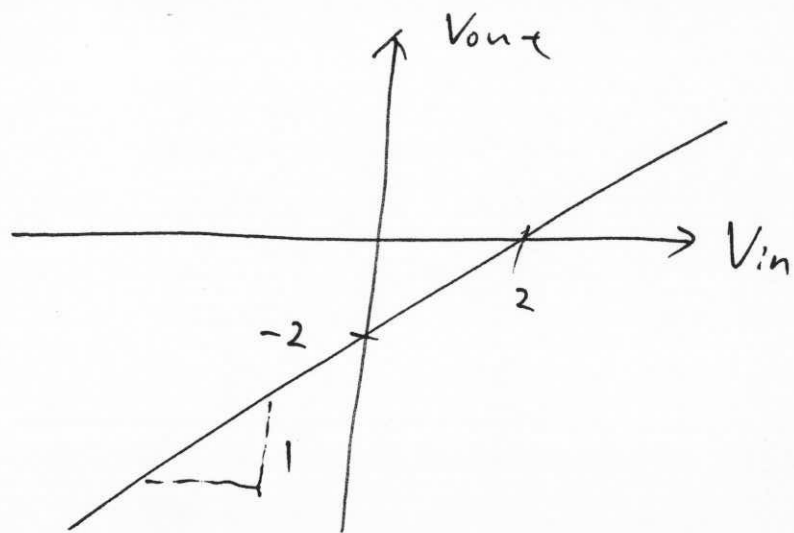
b)



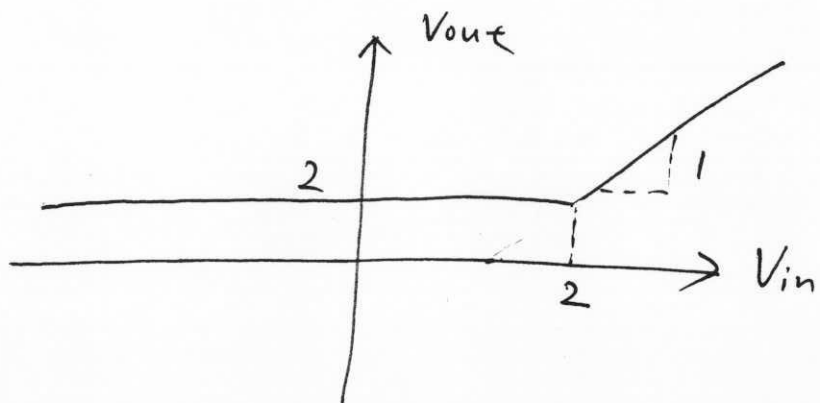
c)



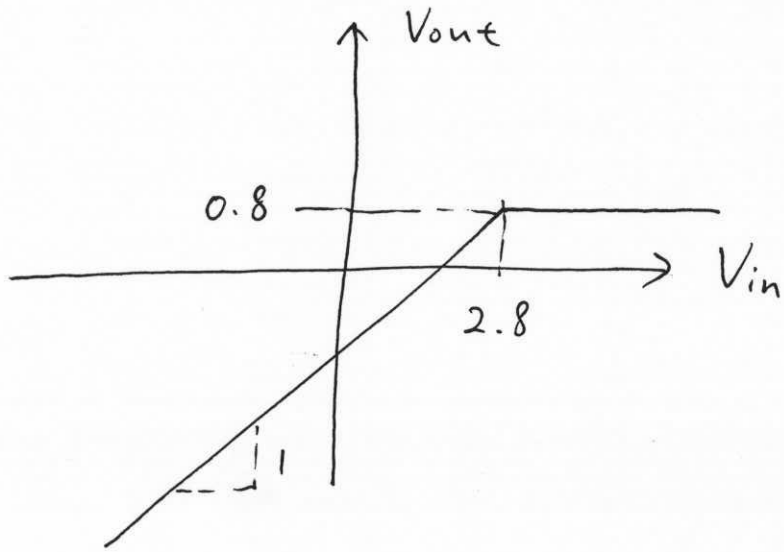
d)



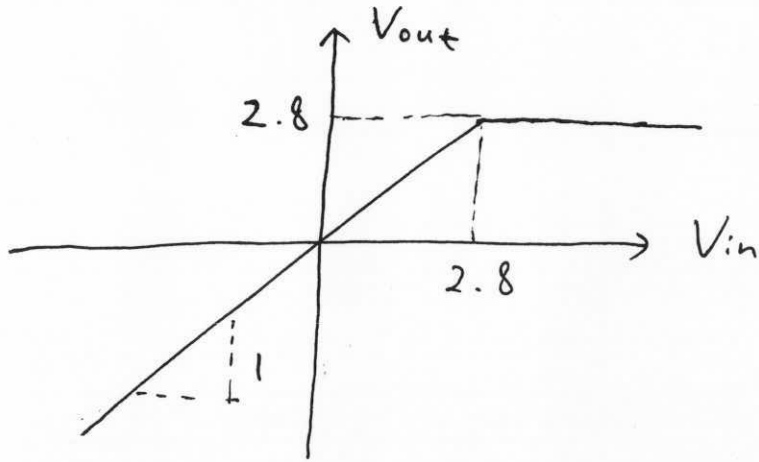
e)



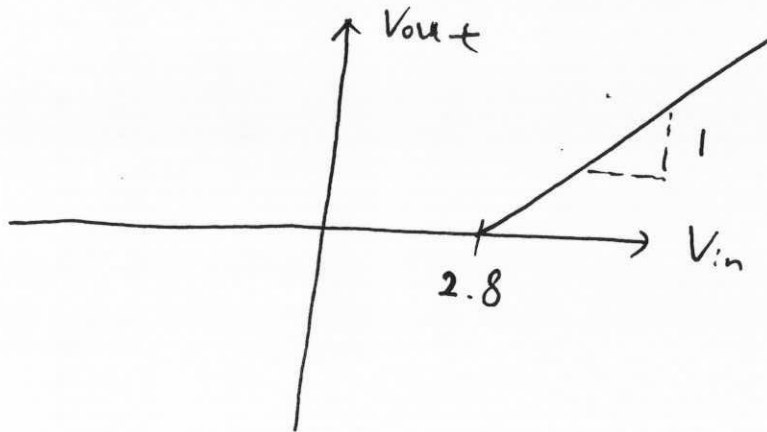
⑬ a)

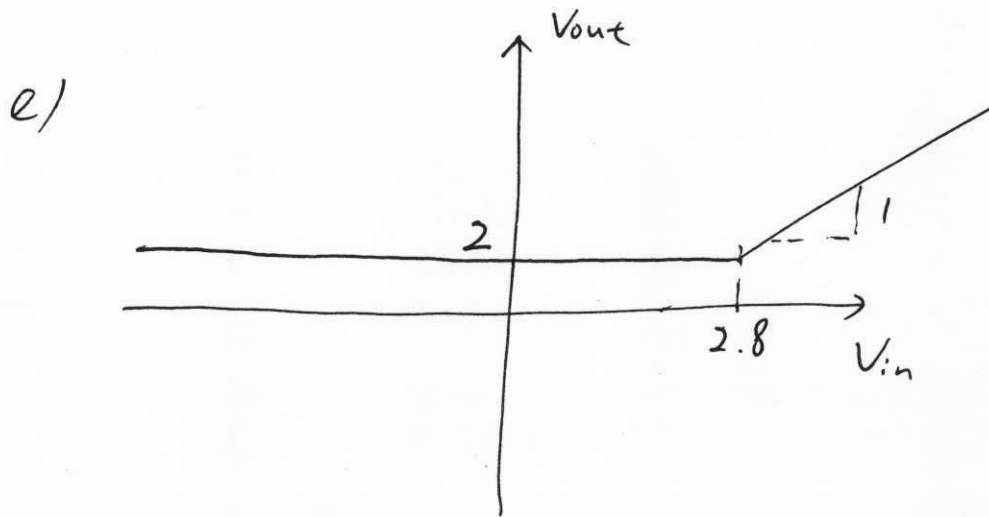
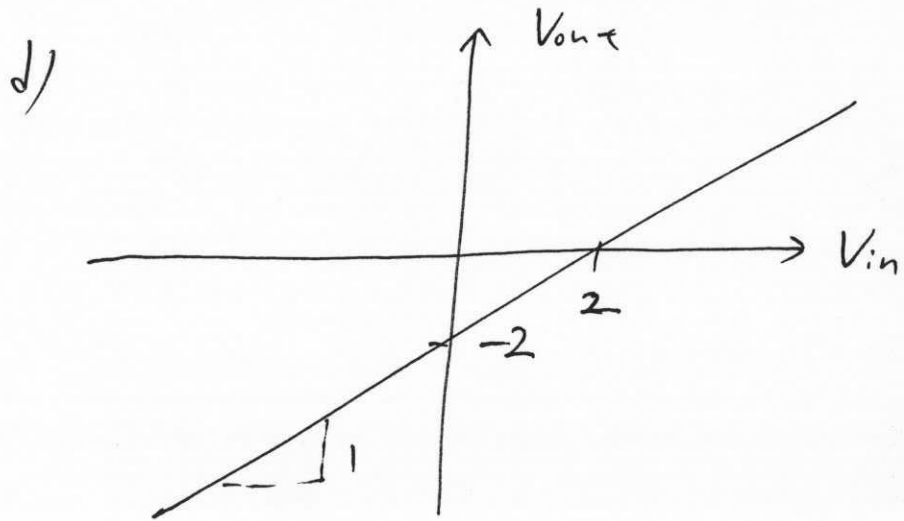


b)

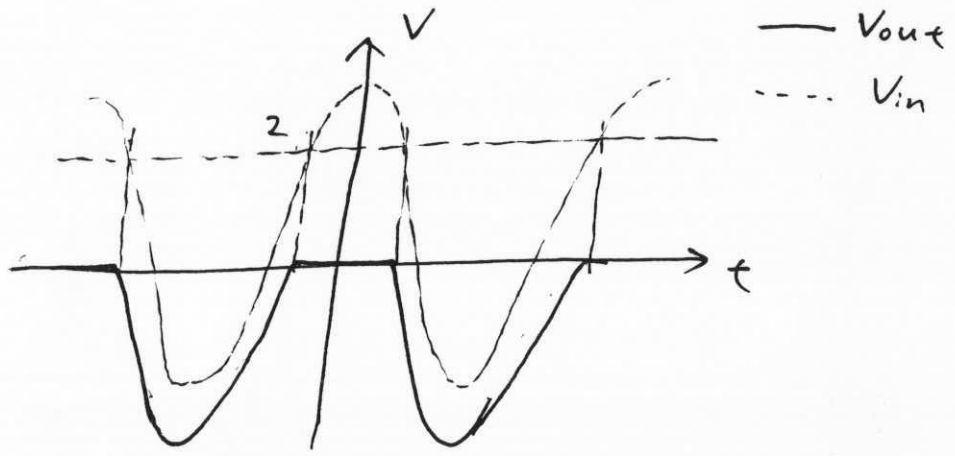


c)

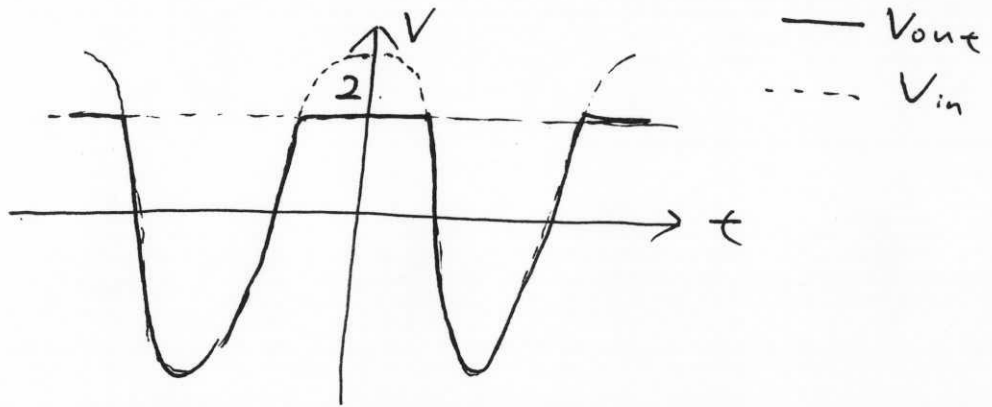




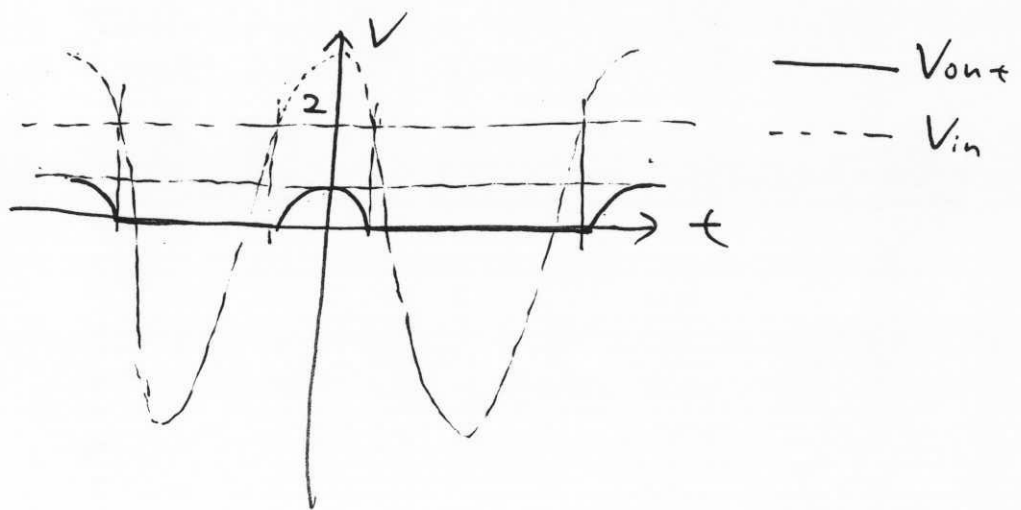
(14) a)



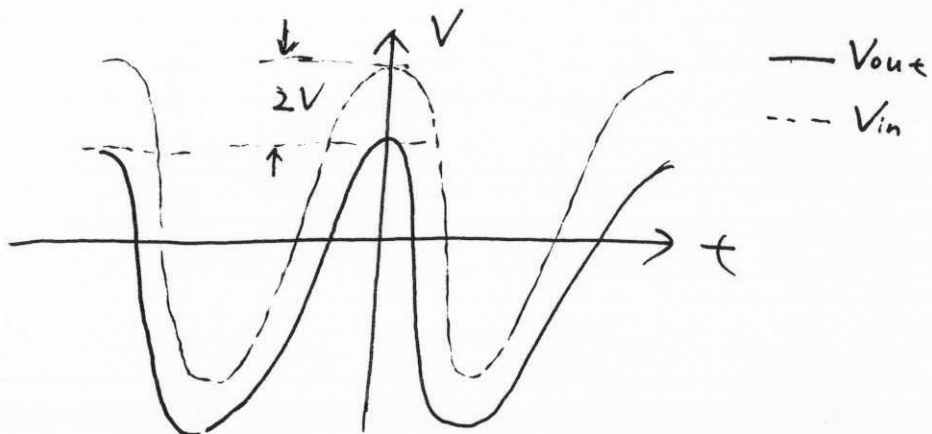
b)



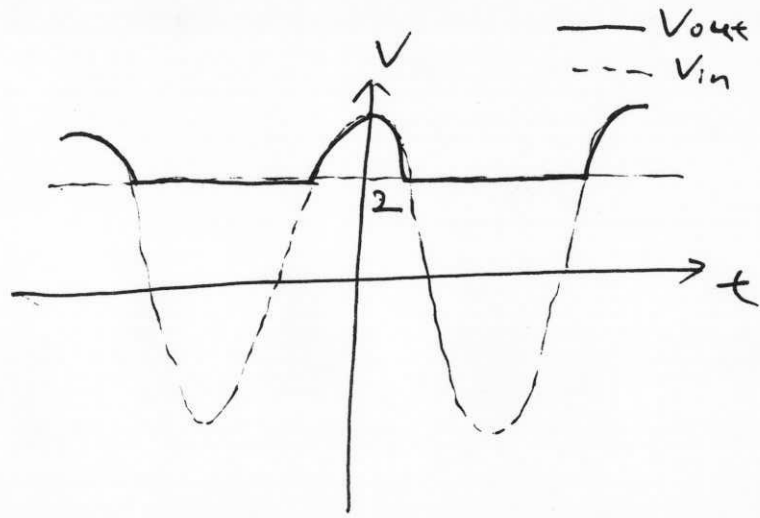
c)



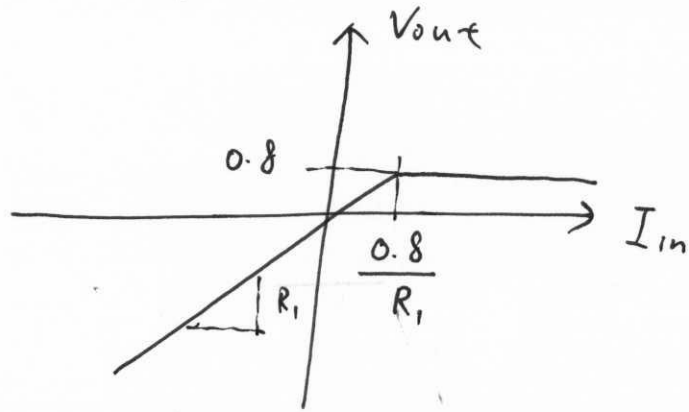
d)



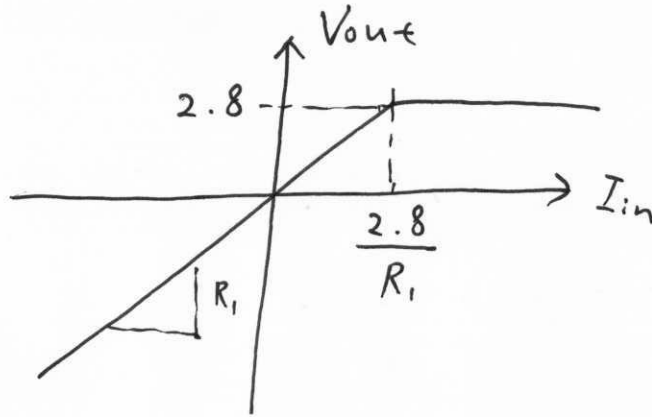
e)



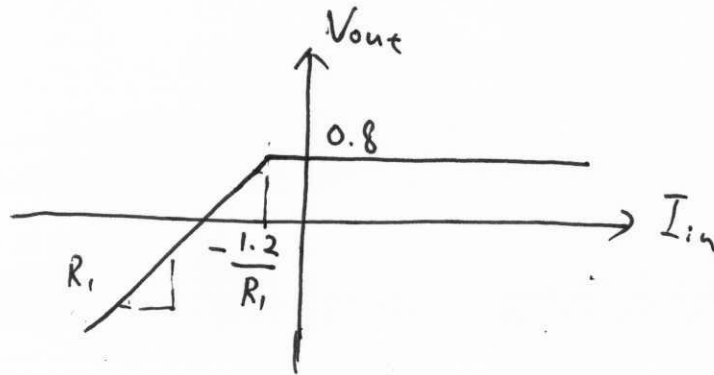
(15) a)



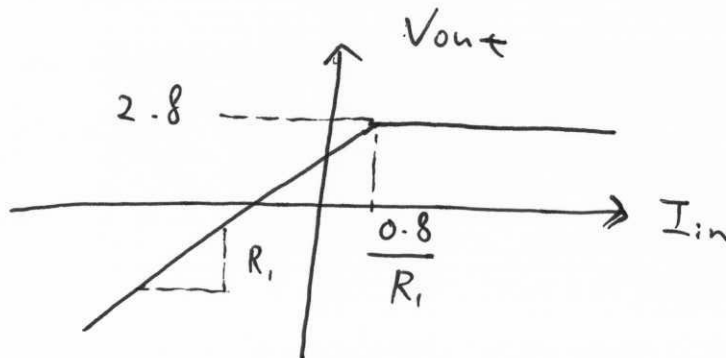
b)



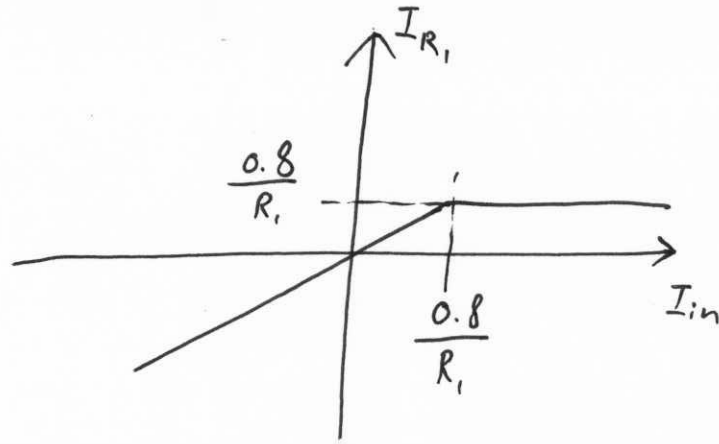
c)



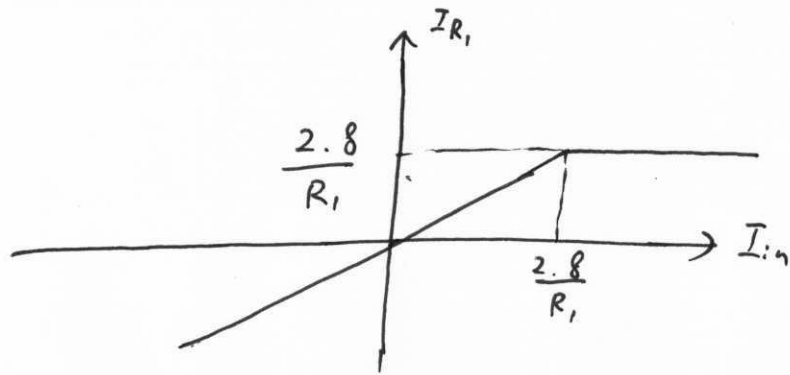
d)



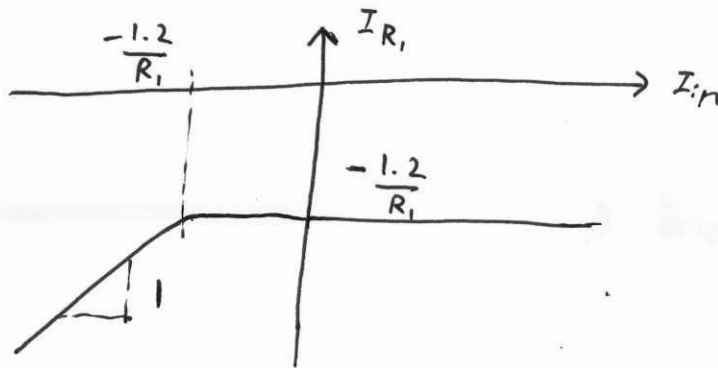
16 a)



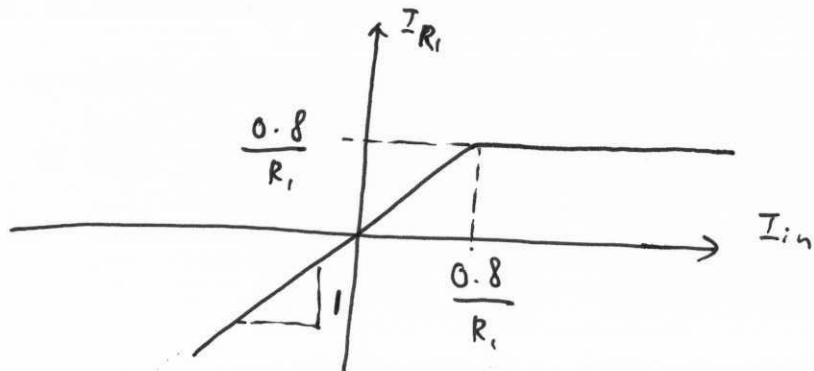
b)



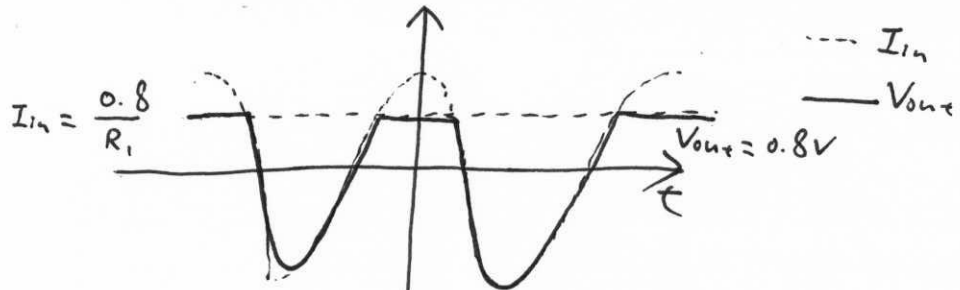
c)



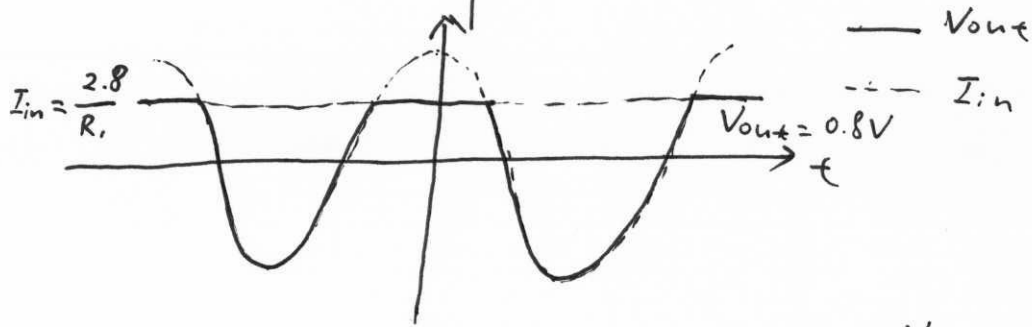
d)



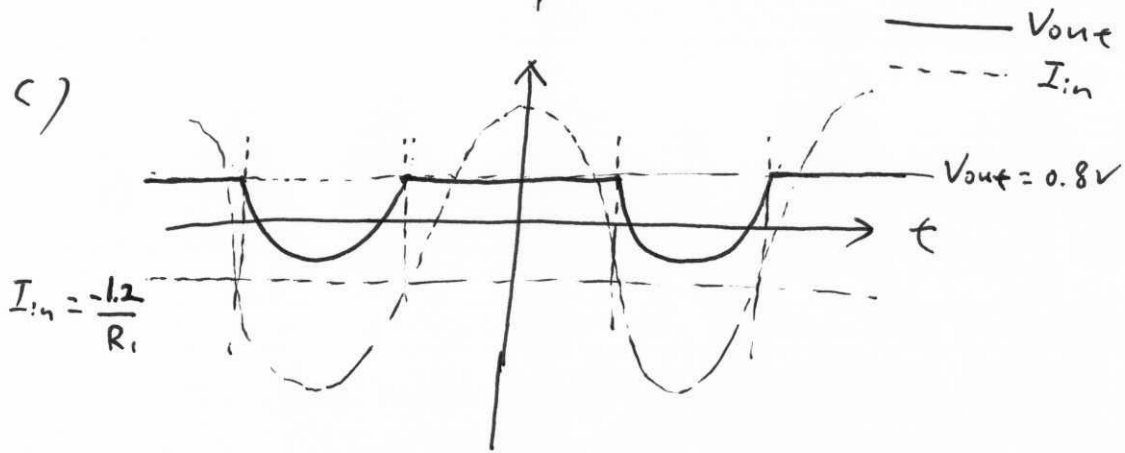
(17) a)



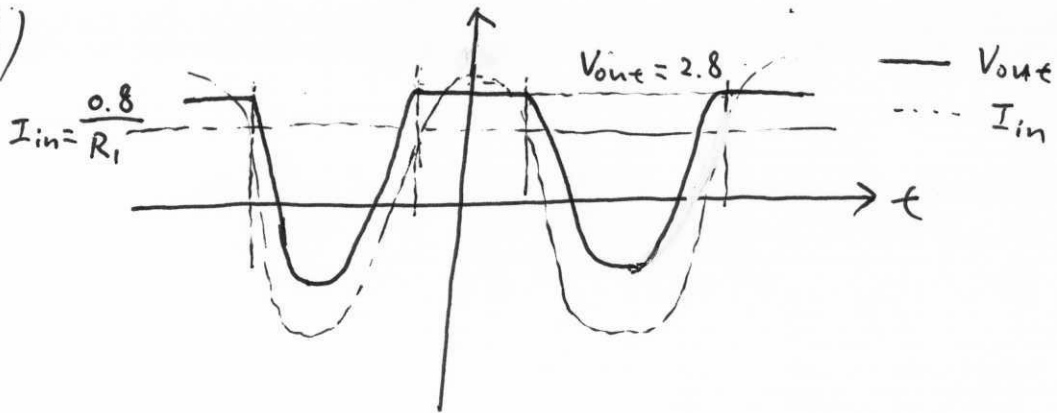
b)



c)

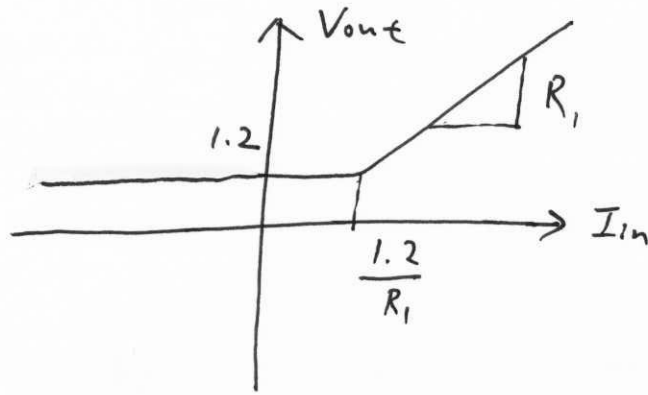


d)

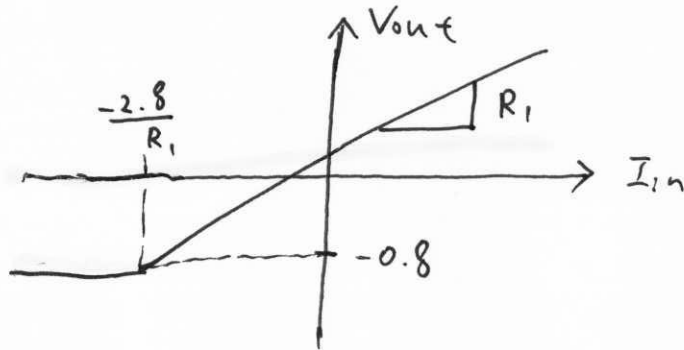


18

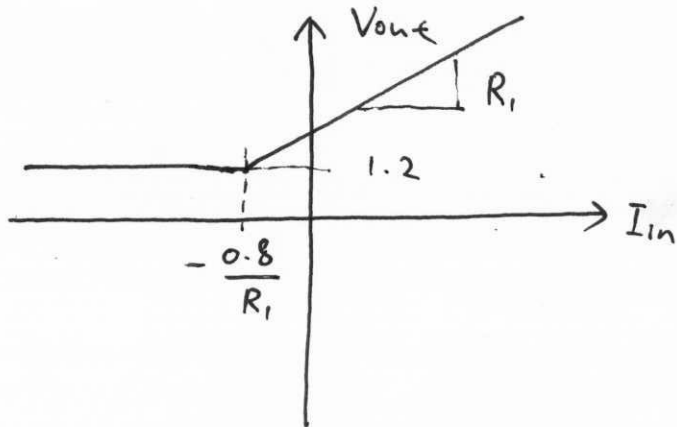
a)



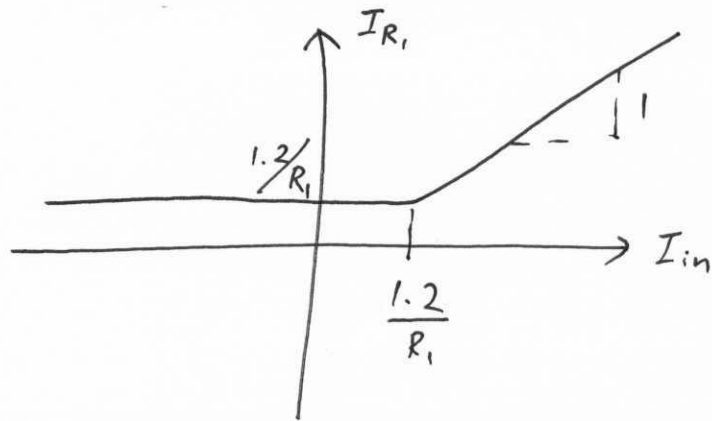
b)



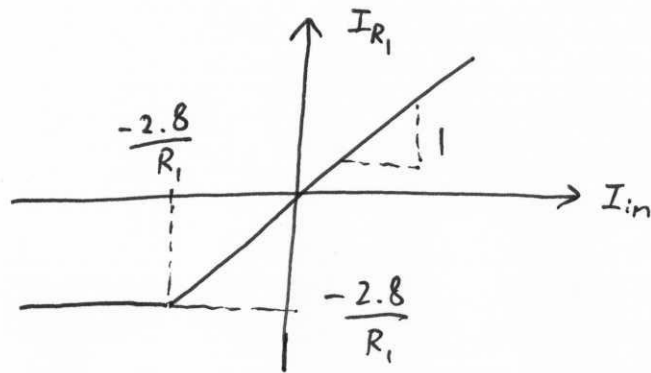
c)



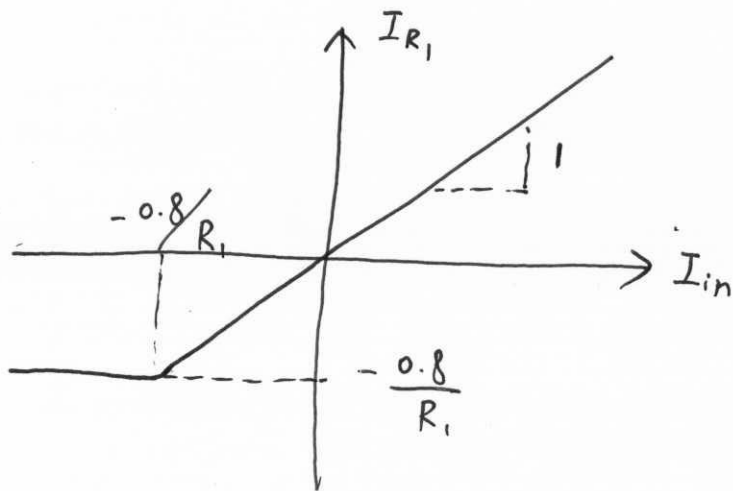
19 a)



b)

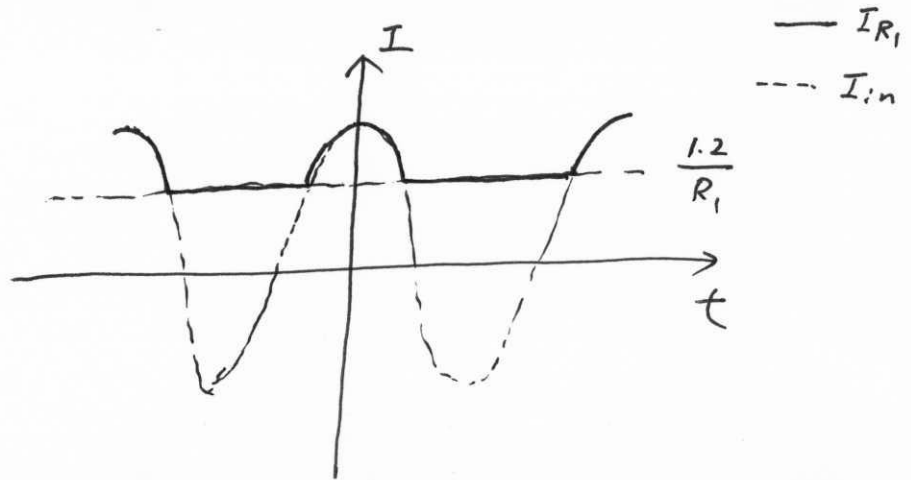


c)

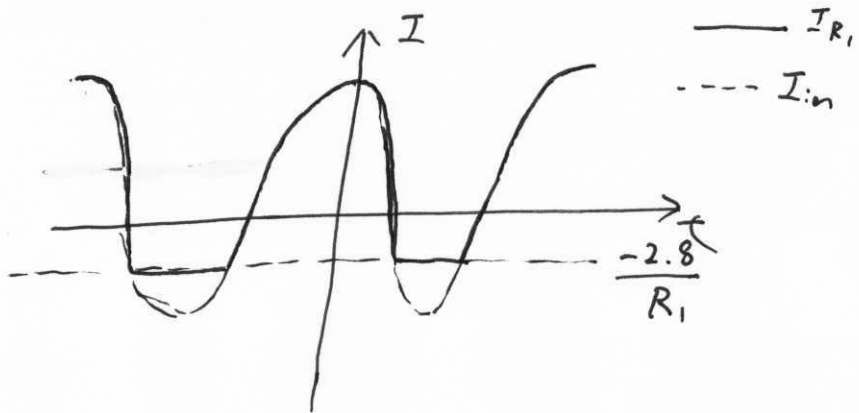


20

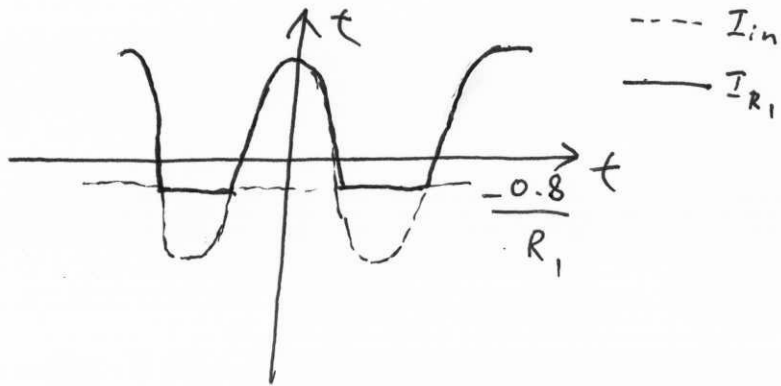
a)



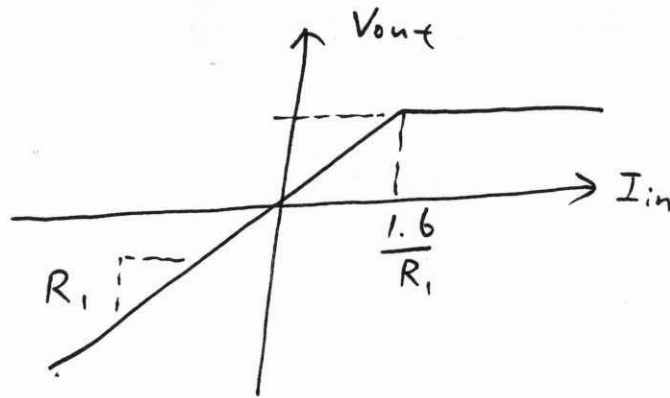
b)



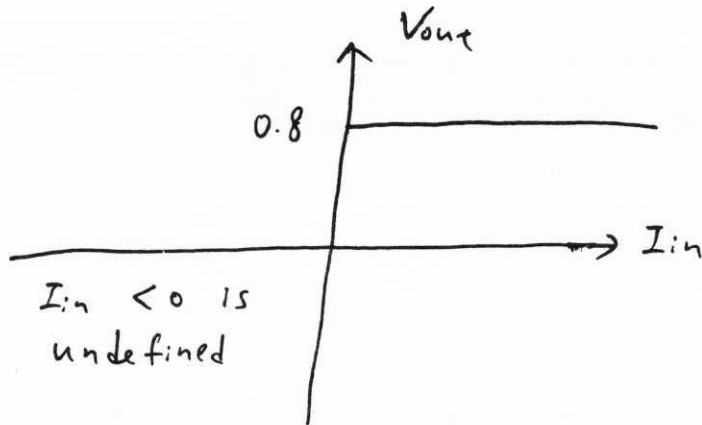
c)



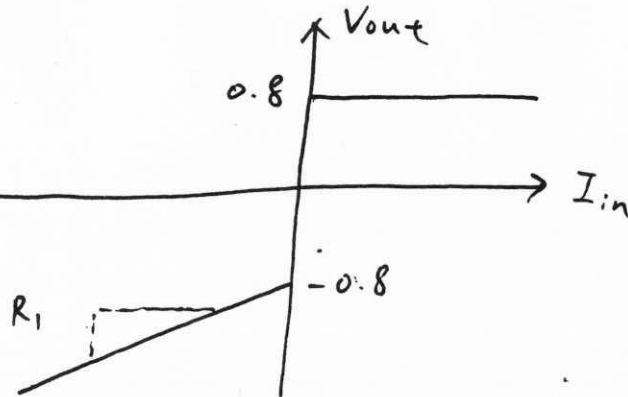
(21) a)



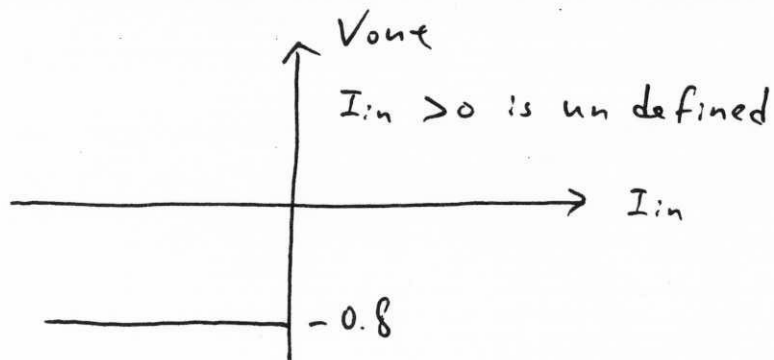
b)



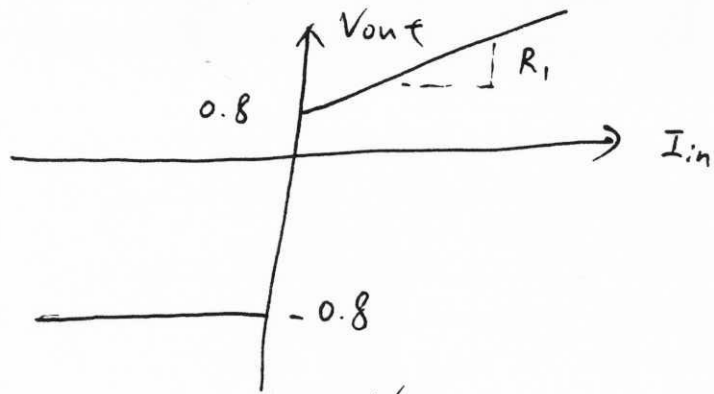
c)



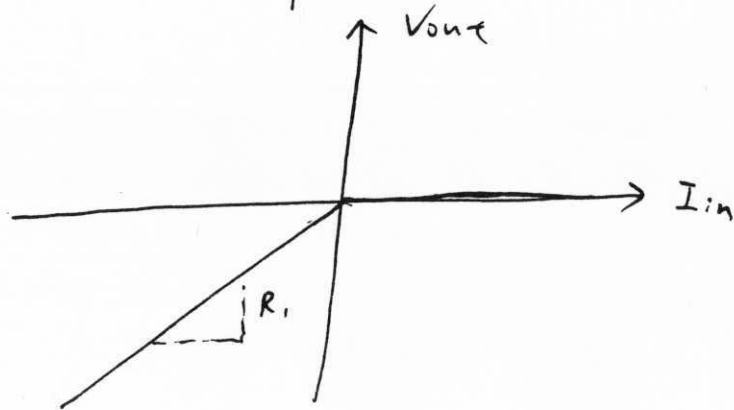
d)



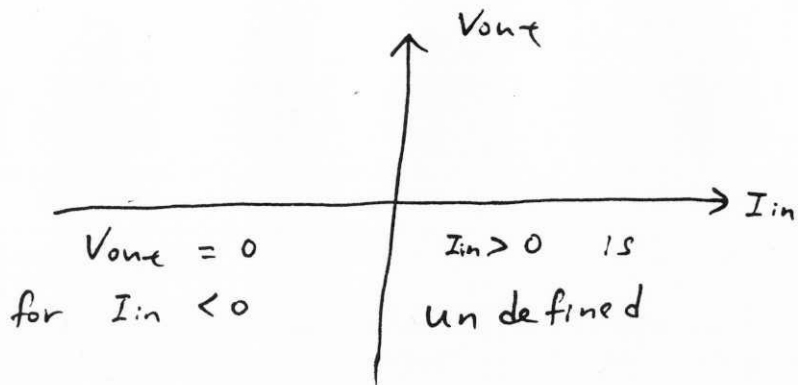
e)



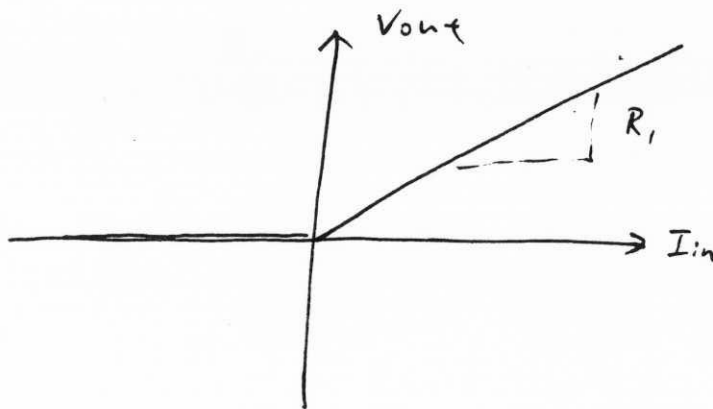
f)



g)

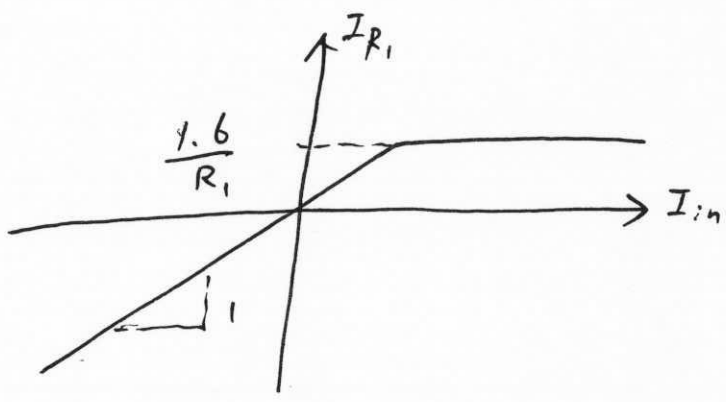


h)

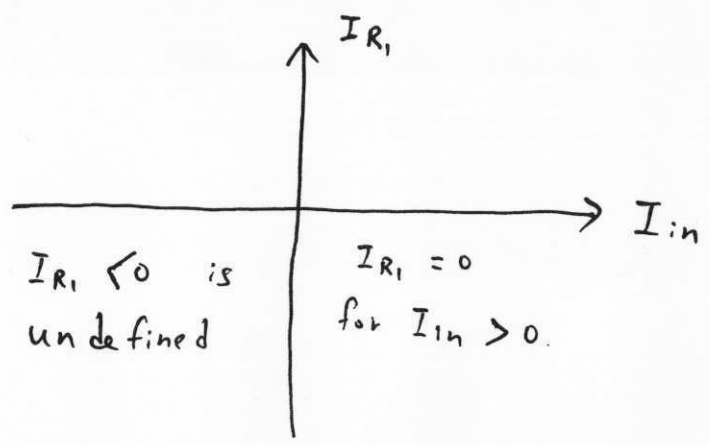


22

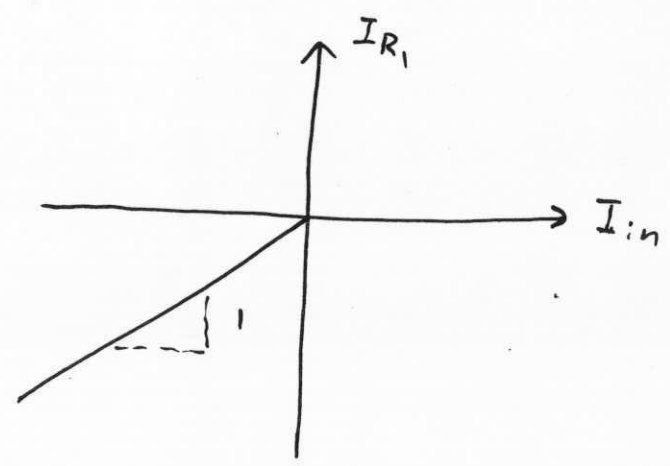
a)



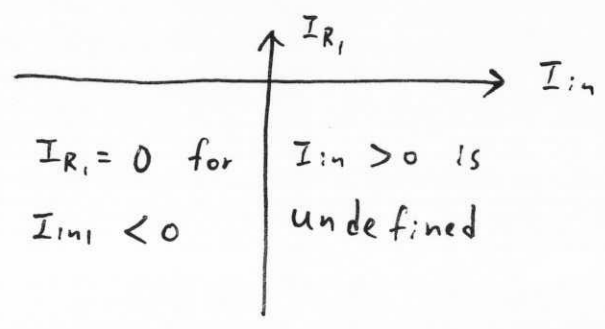
b)



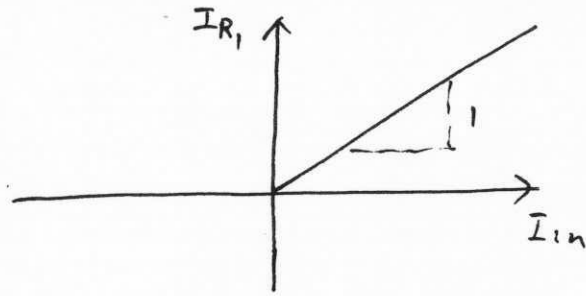
c)



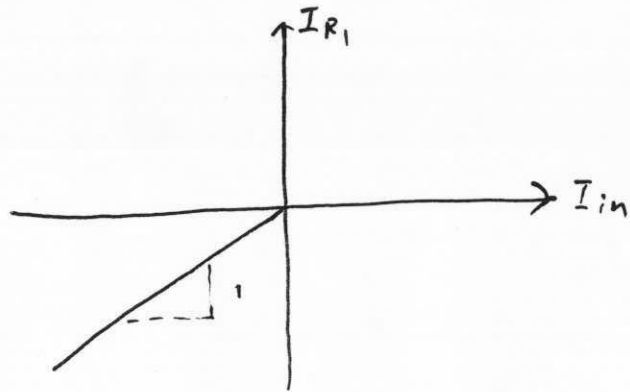
d)



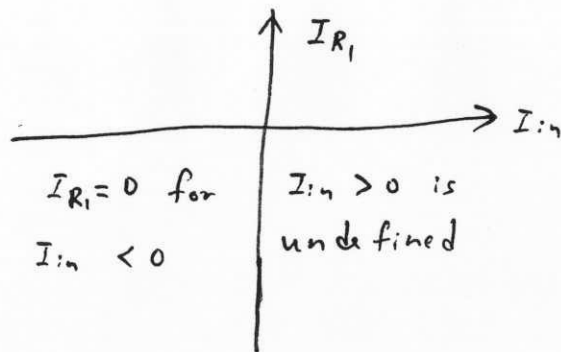
e)



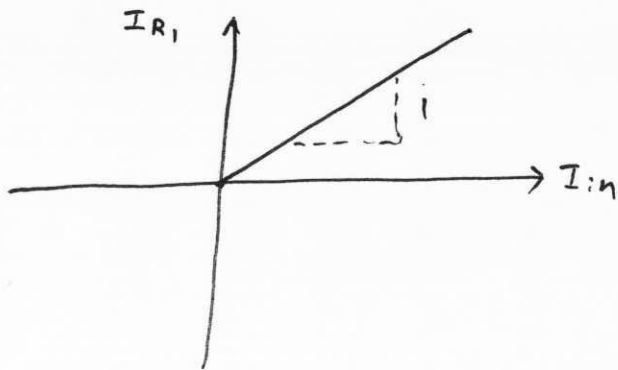
f)



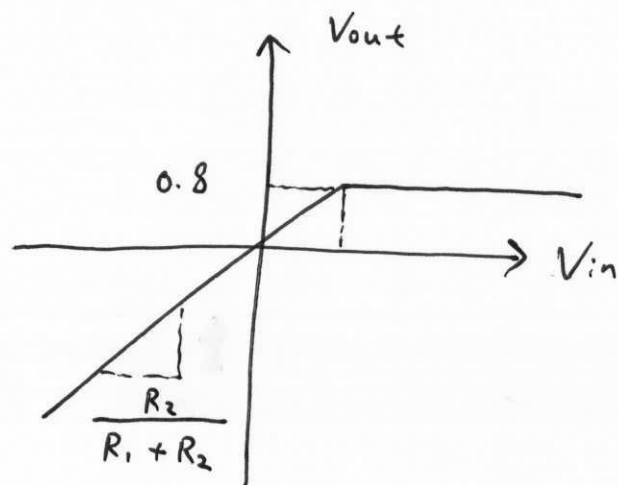
g)



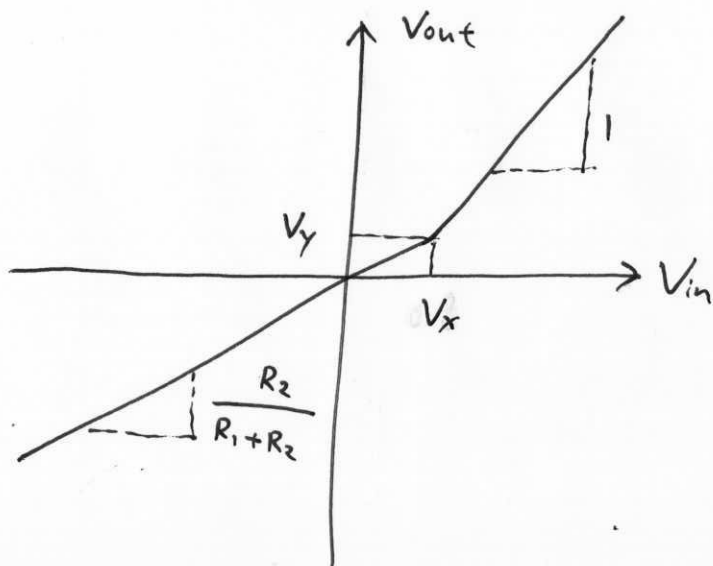
h)



23 a)



b)

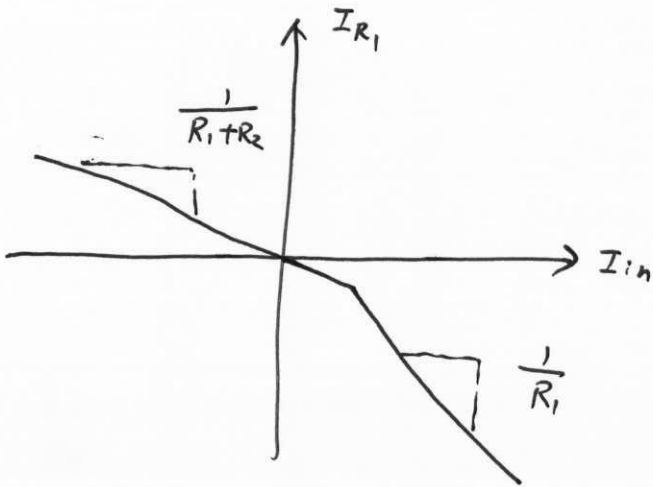


Note: at the turning point when D_1 starts to conduct, V_x, V_y need to satisfy 2 conditions:

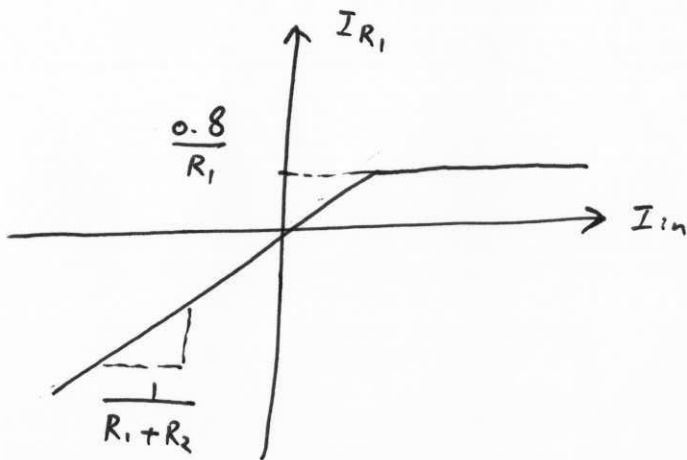
$$V_x - V_y = 0.8 \quad \text{--- (1)}$$

$$V_y = \frac{R_2}{R_1 + R_2} V_x \quad \text{--- (2)}$$

24 a)

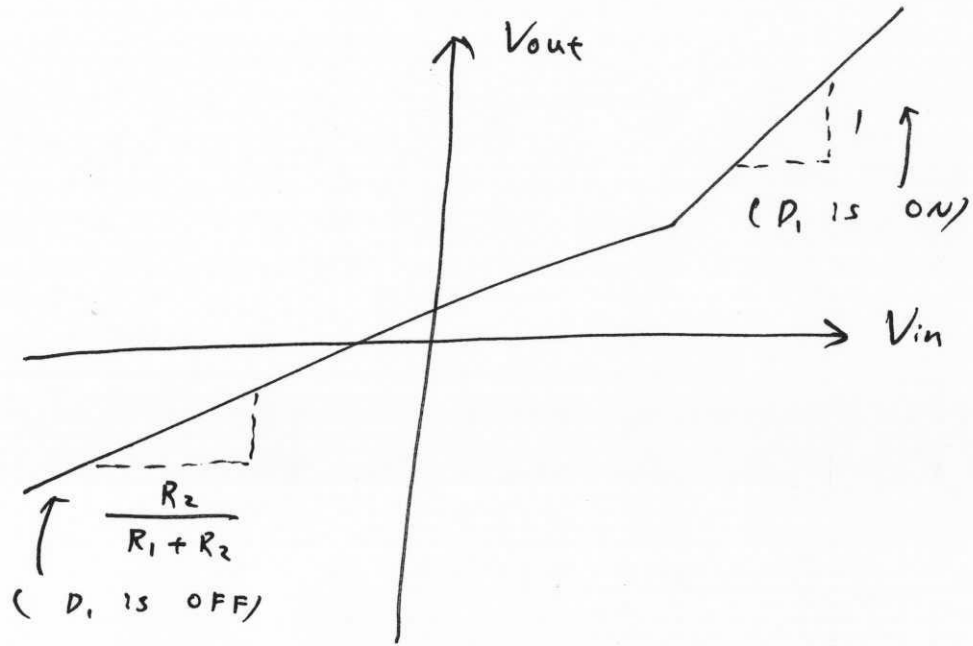


b)

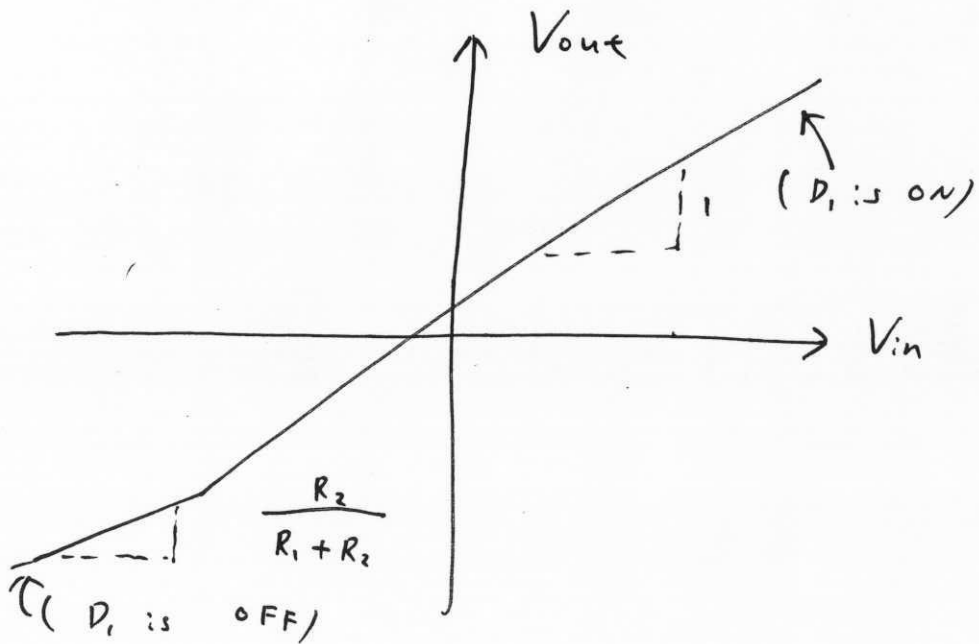


25

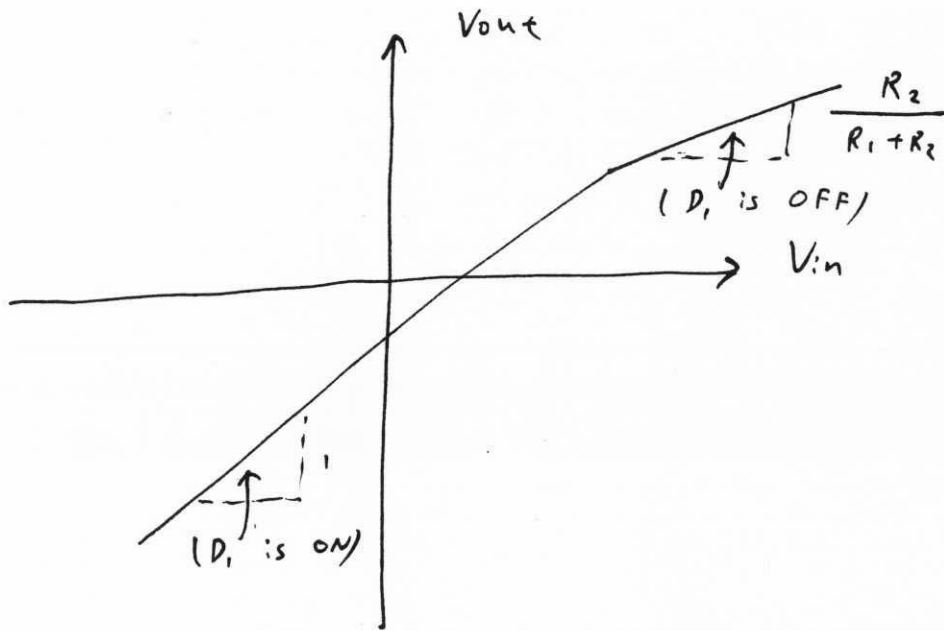
a)



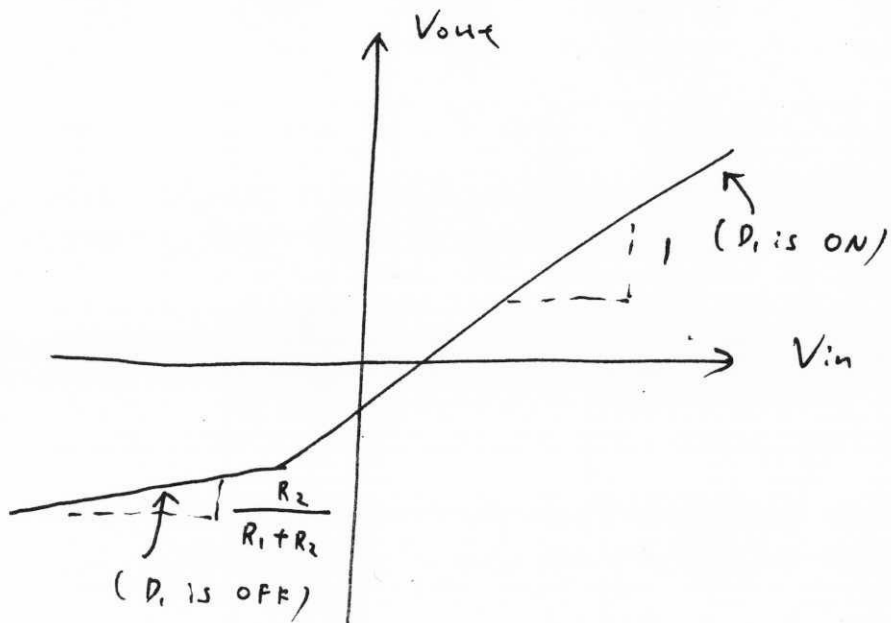
b)



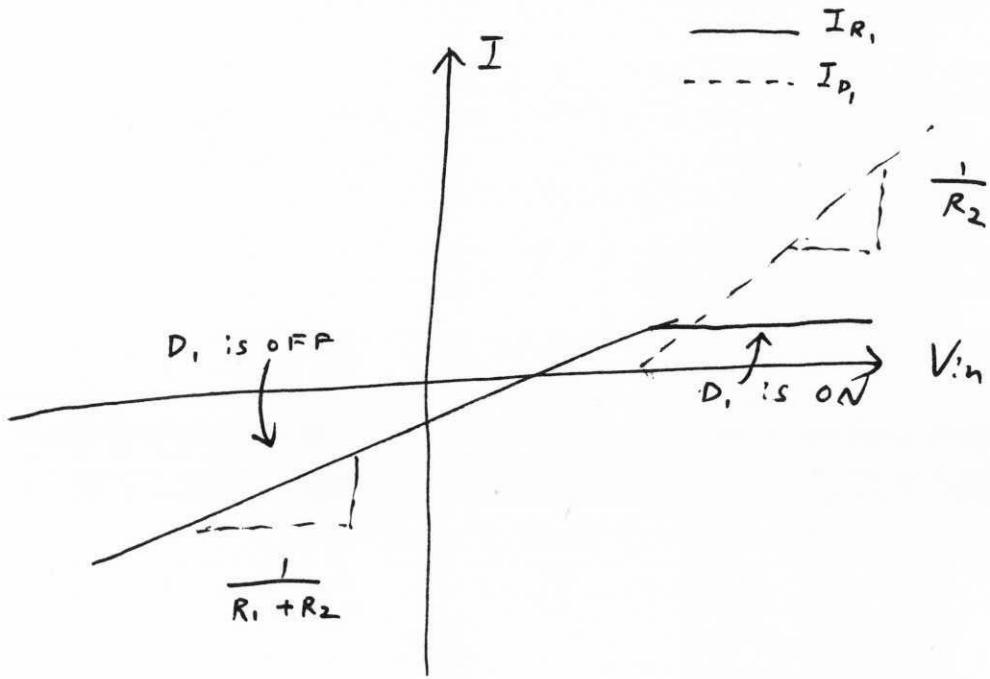
c)



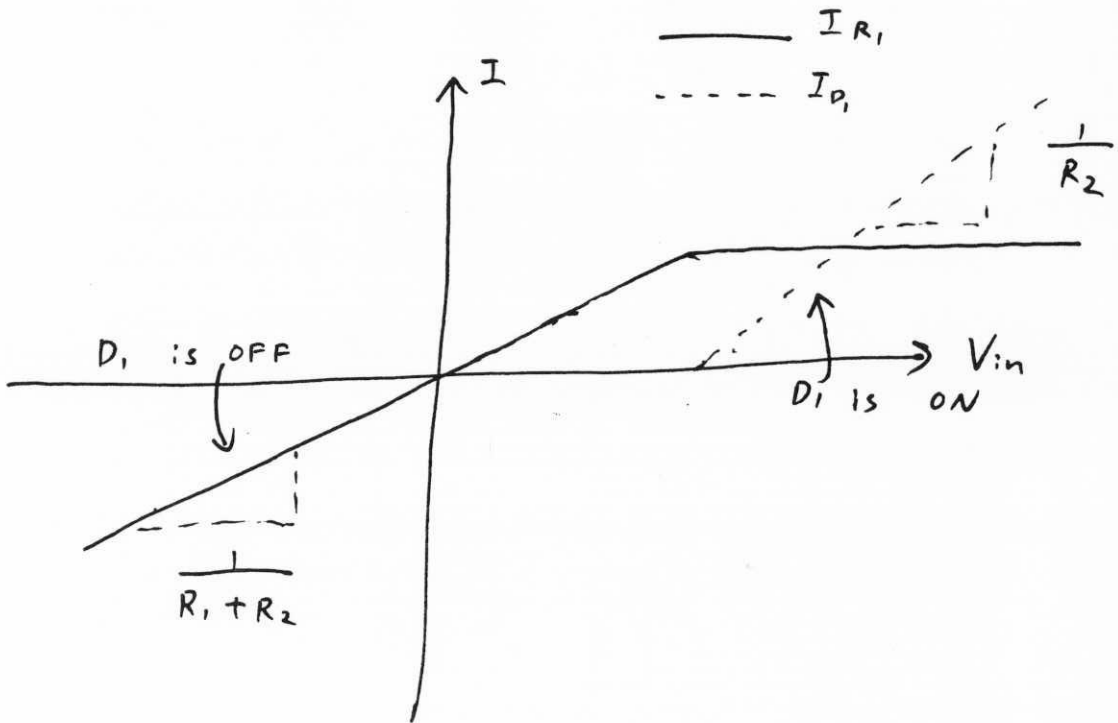
d)



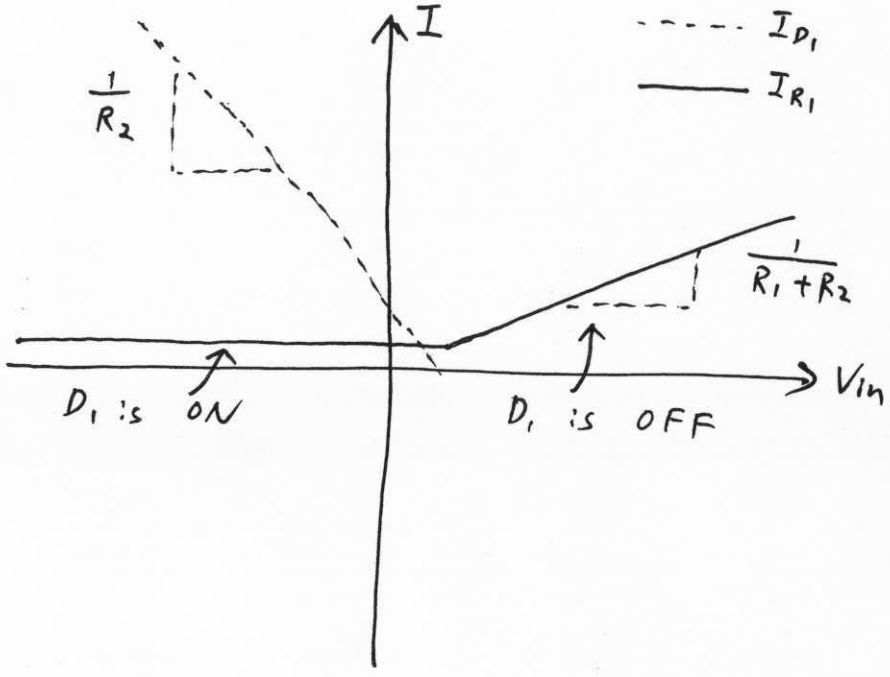
(26) a)



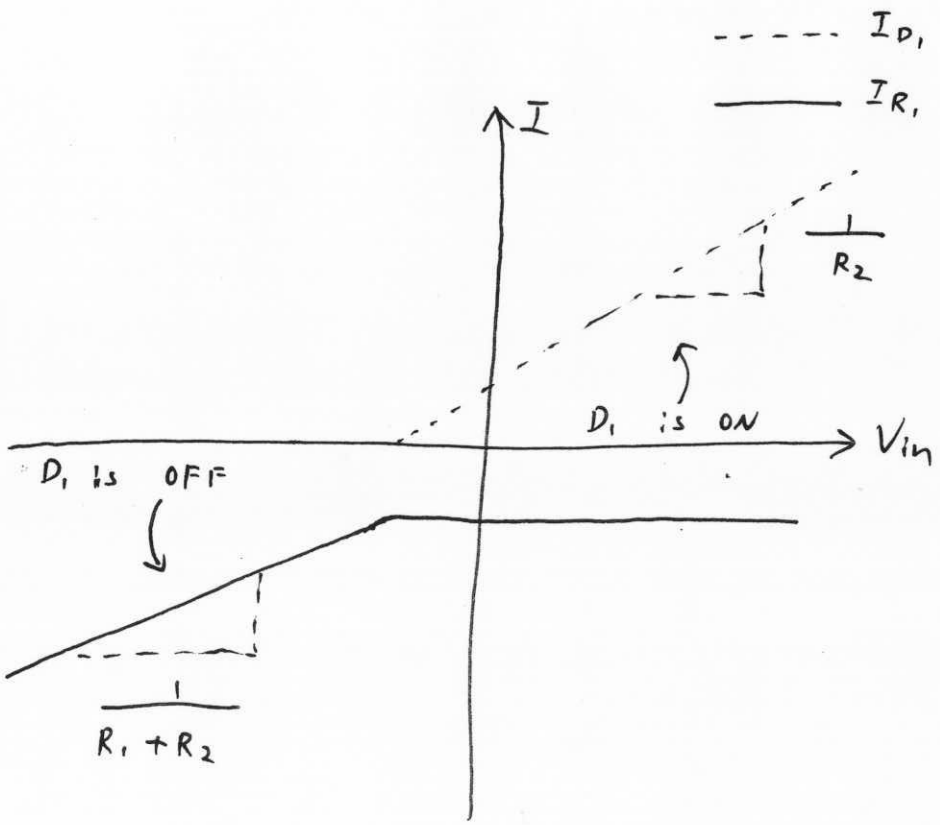
b)



c/

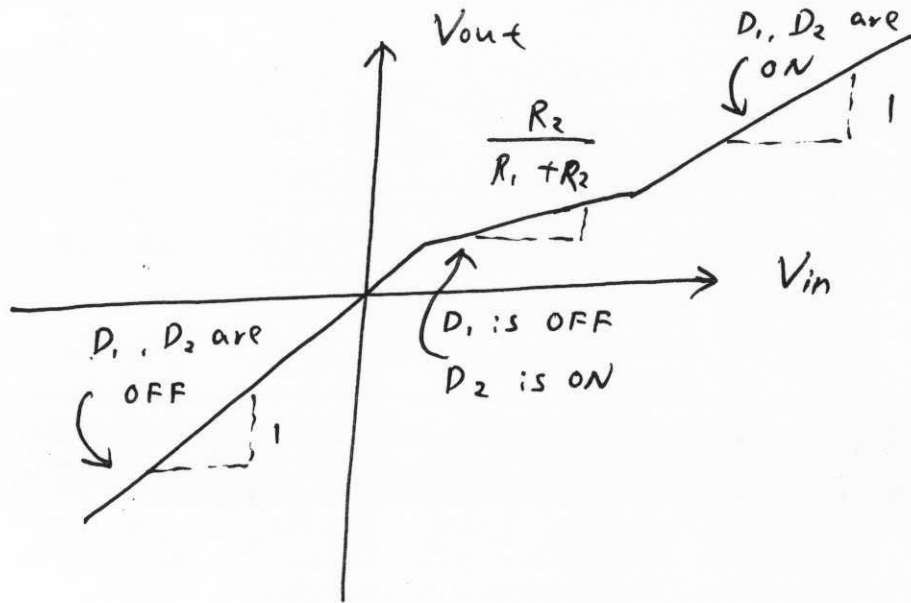


d/

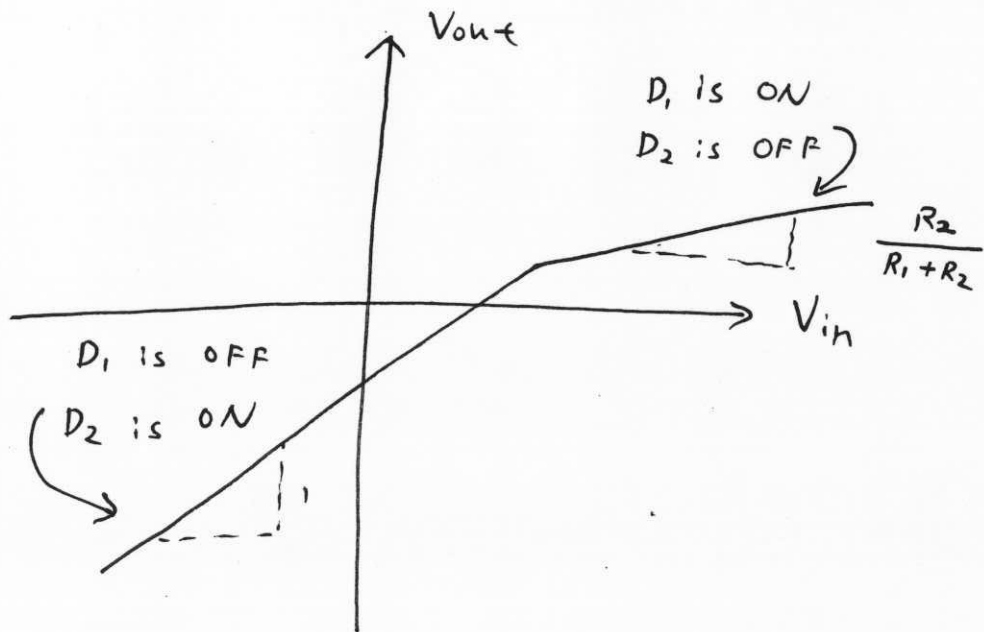


(27)

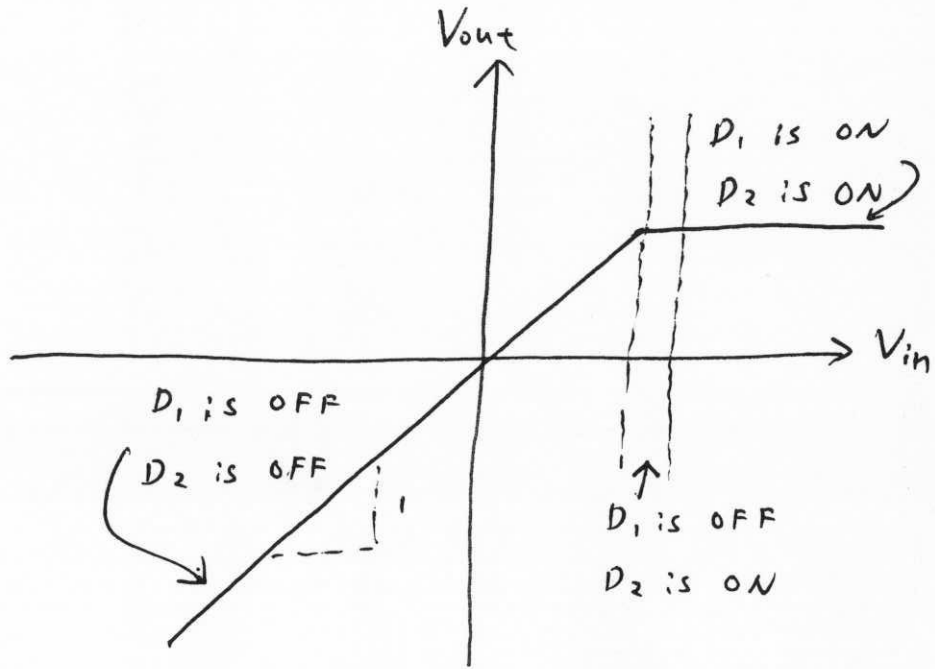
a/



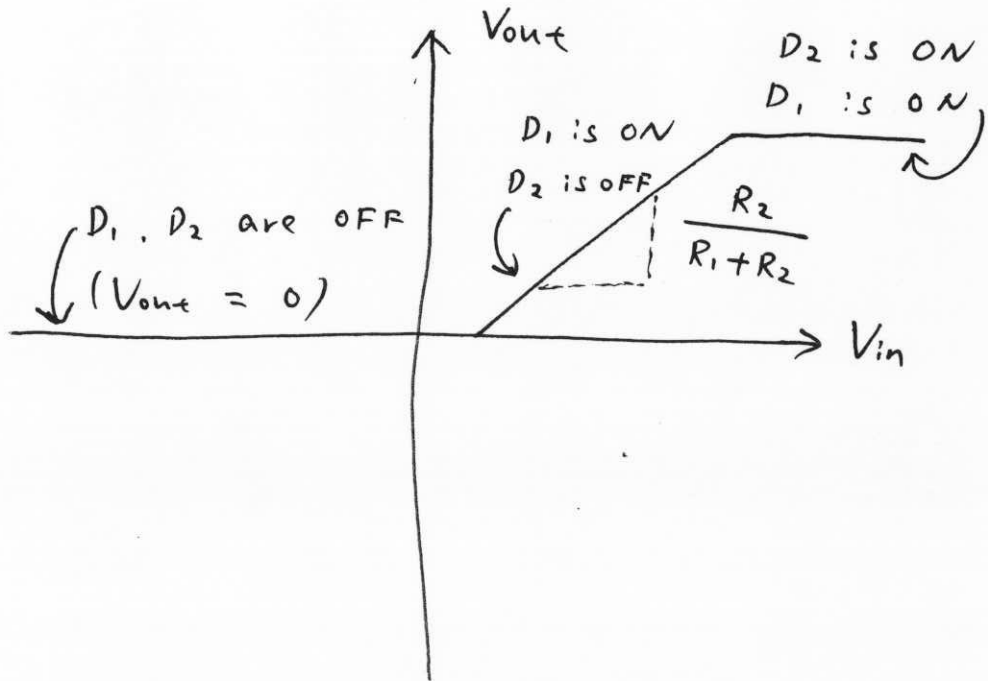
b/



c)

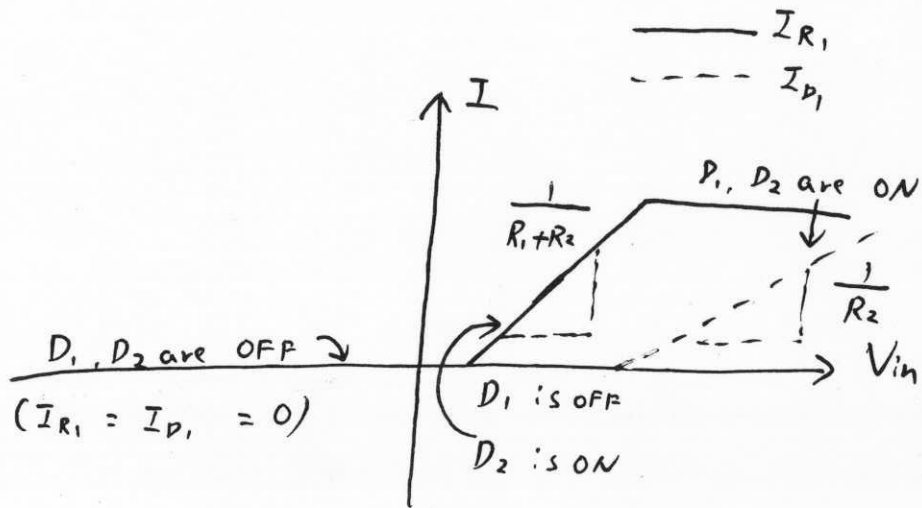


d)

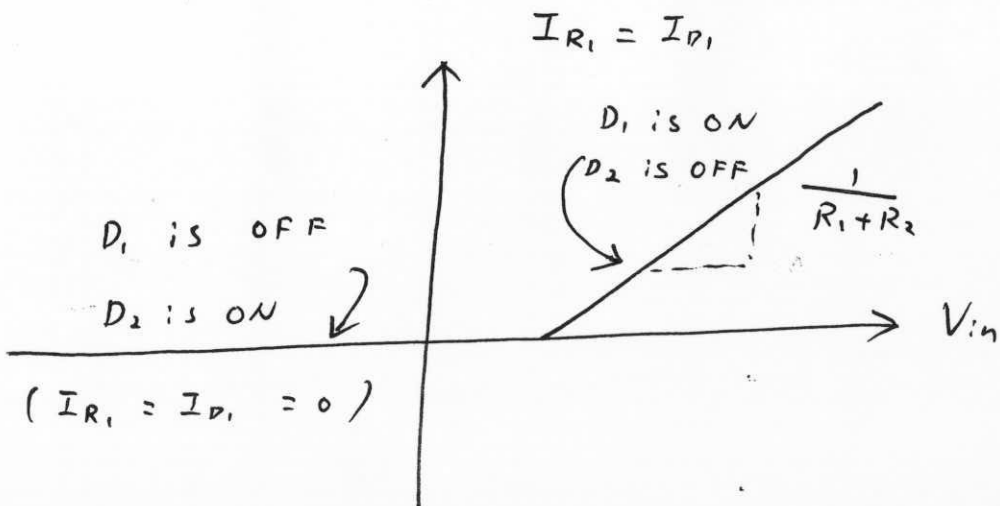


28

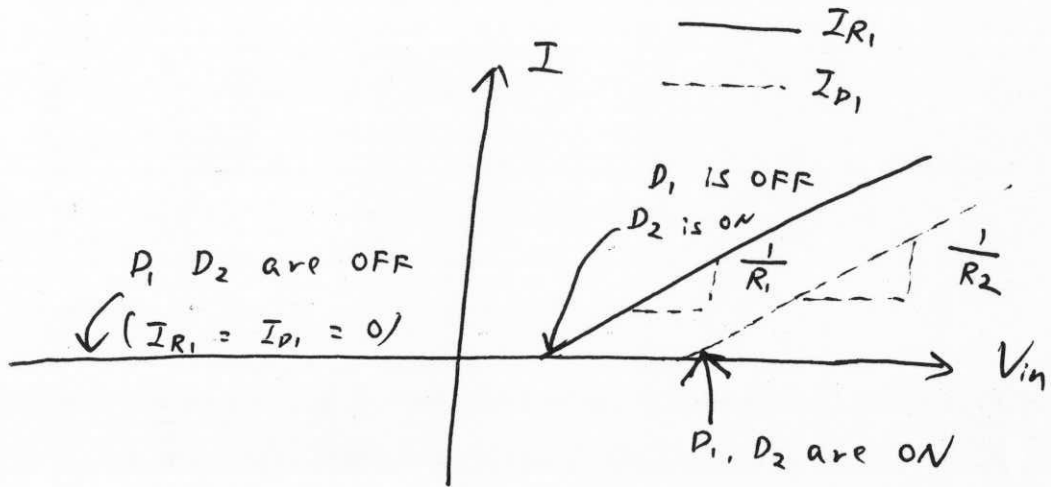
a)



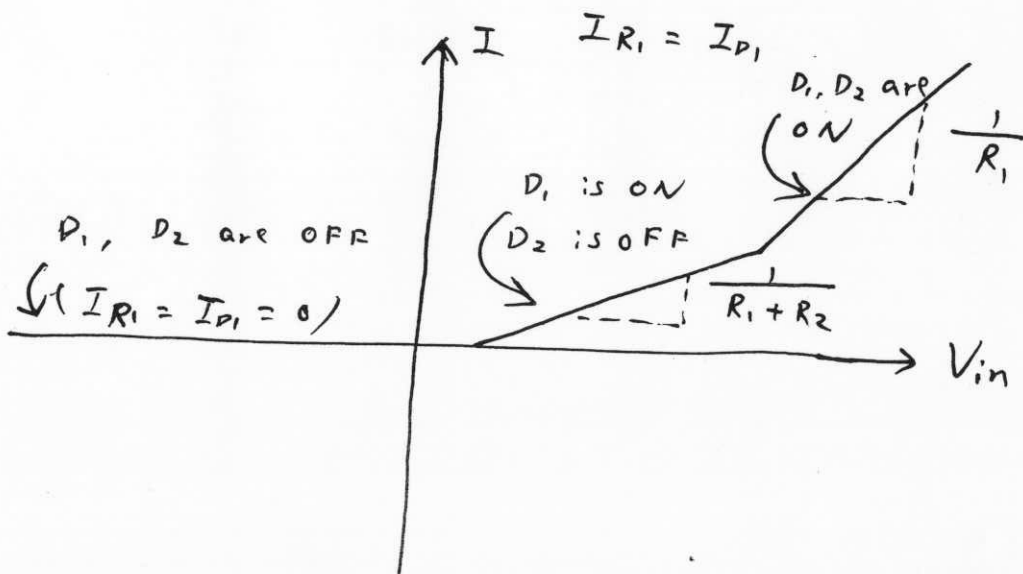
b)



c)

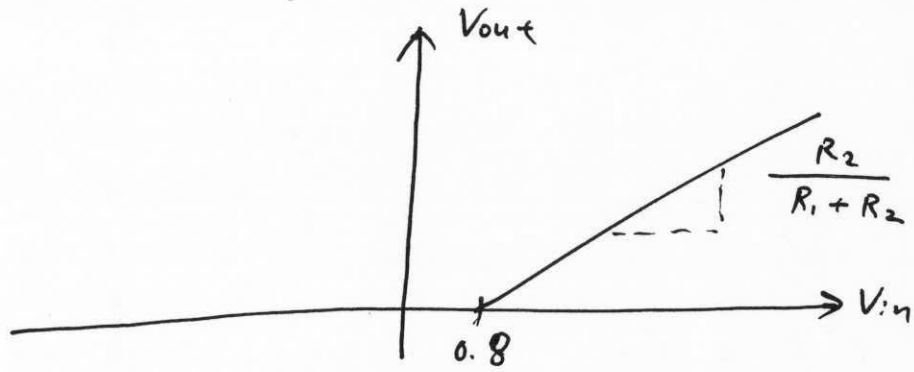


d)

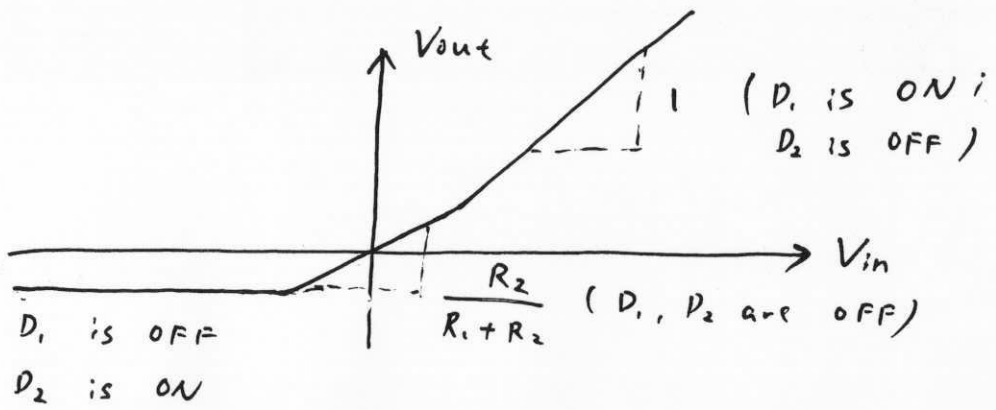


(29)

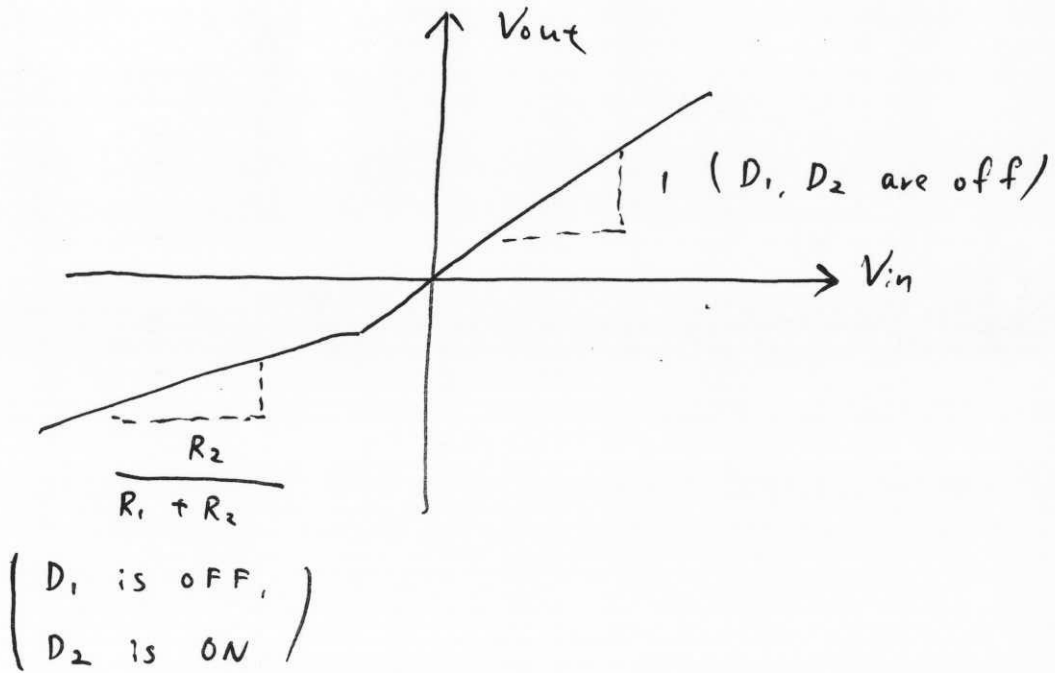
a)



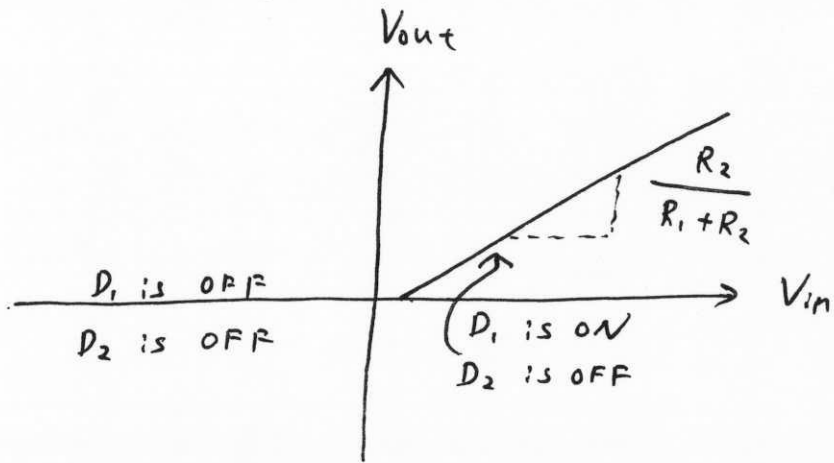
b)



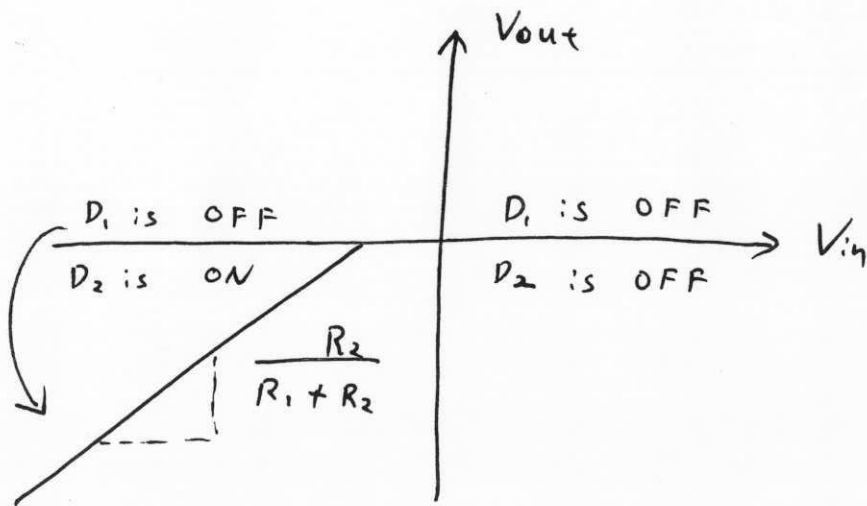
c)



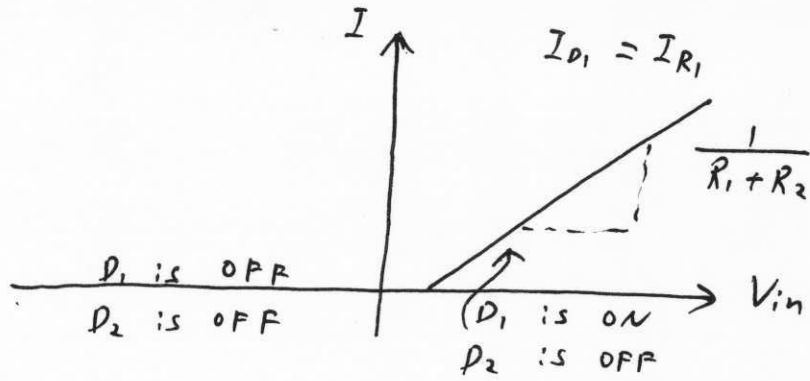
d/



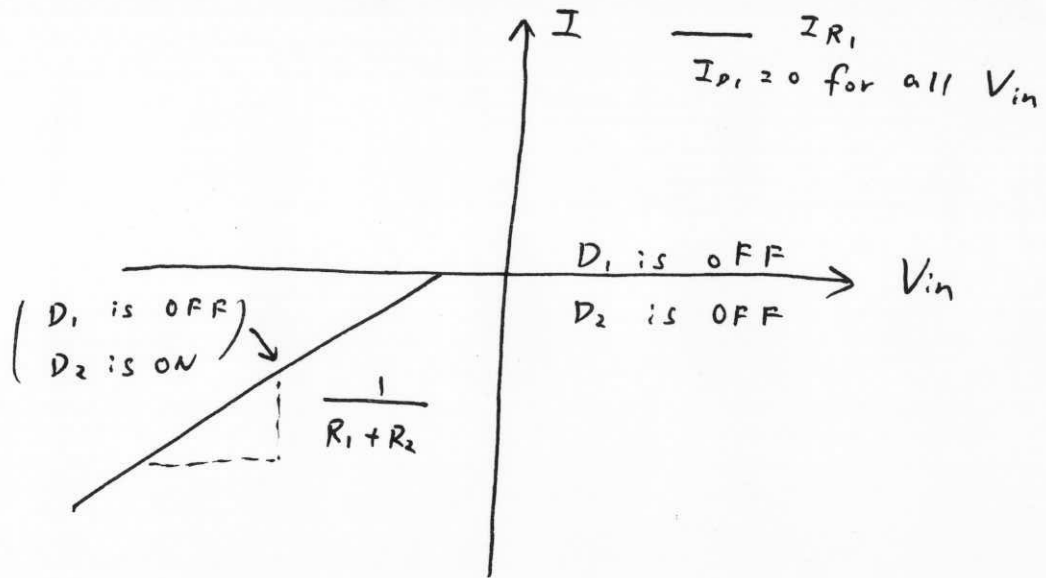
e/



d)

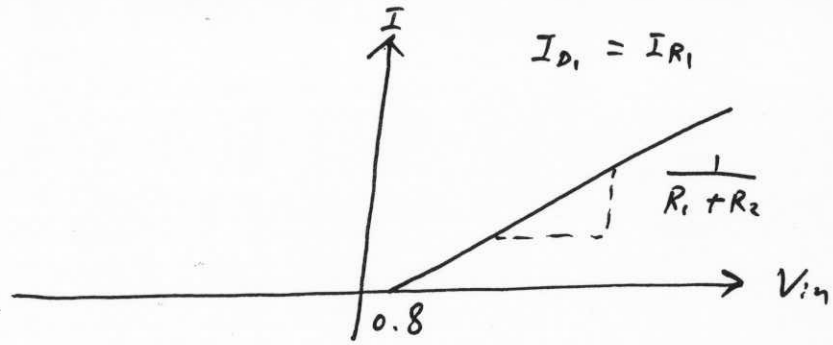


e)

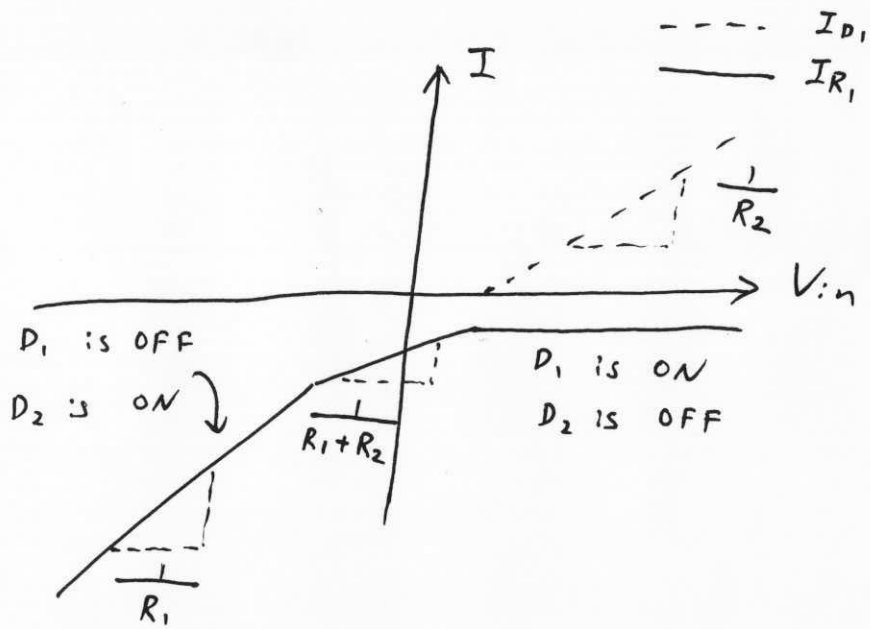


30

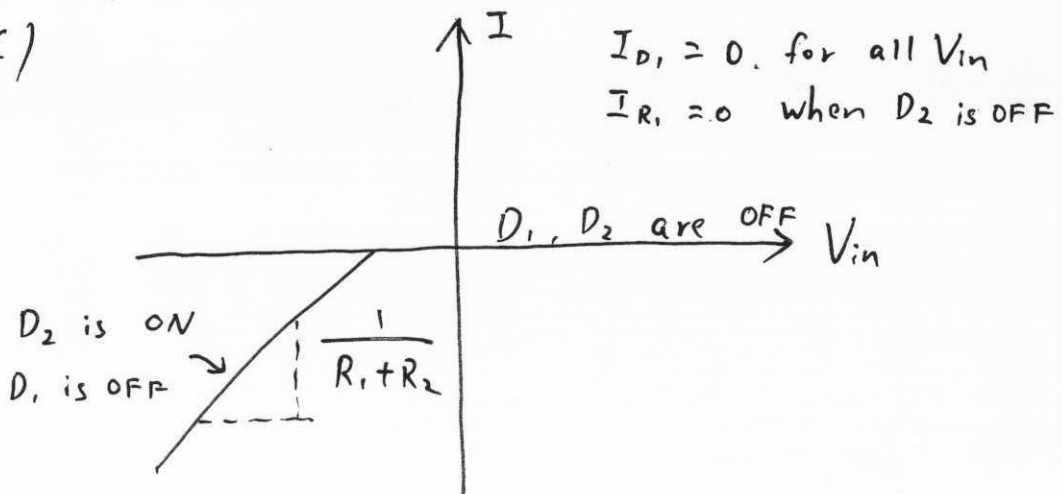
a)



b)



c)



(31) a) when V_{in} changes from $+2.4V$ to $+2.5V$,
 D_1 is ON throughout the change.

$$\therefore V_{out} \approx V_{in} - 0.8V,$$

i.e., V_{out} changes from $+1.6V$ to $+1.7V$.

b) when V_{in} changes from $+2.4V$ to $+2.5V$,
 D_1 and D_2 are both ON.

$$\therefore V_{out} = V_{in} - V_{ON, D_1},$$

i.e., V_{out} changes from $+1.6V$ to $+1.7V$.

c) when V_{in} changes from $+2.4V$ to $+2.5V$,
 D_1 and D_2 are both ON.

$$V_{out} = V_{ON, D_2},$$

i.e., V_{out} stays at $+0.8V$.

d) when V_{in} changes from $+2.4V$ to $+2.5V$,

D_2 is ON.

$$\therefore V_{out} \approx V_{ON, D_2},$$

i.e., V_{out} stays at $+0.8V$

(32)

$$\begin{aligned} \text{a) } V_{out} &= i \times R_1 \\ &= 0.1 \text{ mA} \times 1 \text{ k}\Omega \\ &= 0.1 \text{ V} \end{aligned}$$

$$\begin{aligned} \text{b) } r_{d1} = r_{d2} &= \frac{26 \text{ mV}}{3 \text{ mA}} \quad (\text{Eq. 3.58}) \\ &\approx 8.67 \Omega. \end{aligned}$$

$$\begin{aligned} V_{out} &= i \times (R_1 + r_{d2}) \\ &= 0.1 \text{ mA} (1.00867 \text{ k}\Omega) \\ &\approx 1.009 \times 10^{-1} \text{ V} \end{aligned}$$

$$\begin{aligned} \text{c) } V_{out} &= i \times r_{d2} \\ &= 0.1 \text{ mA} \times 8.67 \quad (\text{from (b)}) \\ &= 0.867 \text{ mV} \end{aligned}$$

$$\begin{aligned} \text{d) } V_{out} &= i \times (R_2 \parallel r_{d2}) \\ &\approx i \times r_{d2} \quad (\because R_2 \gg r_{d2}) \\ &= 0.867 \text{ mV} \end{aligned}$$

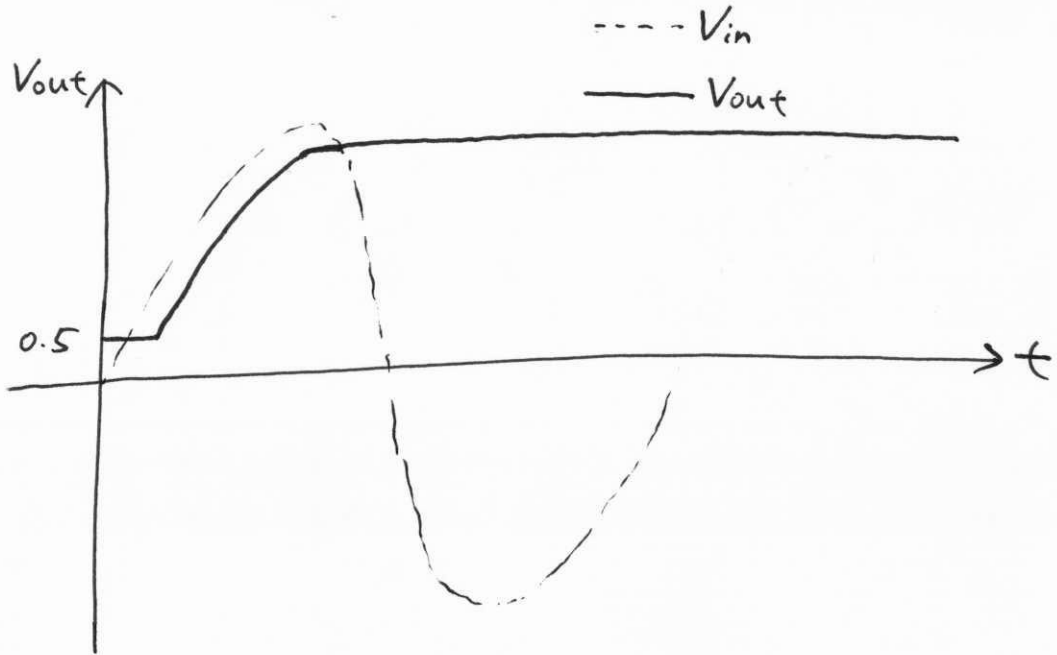
$$\begin{aligned} \textcircled{33} \text{ a) } \quad i_{r1} &= i_{in} \\ &= 0.1 \text{ mA} \end{aligned}$$

$$\begin{aligned} \text{b) } \quad i_{r1} &= i_{in} \\ &= 0.1 \text{ mA} \end{aligned}$$

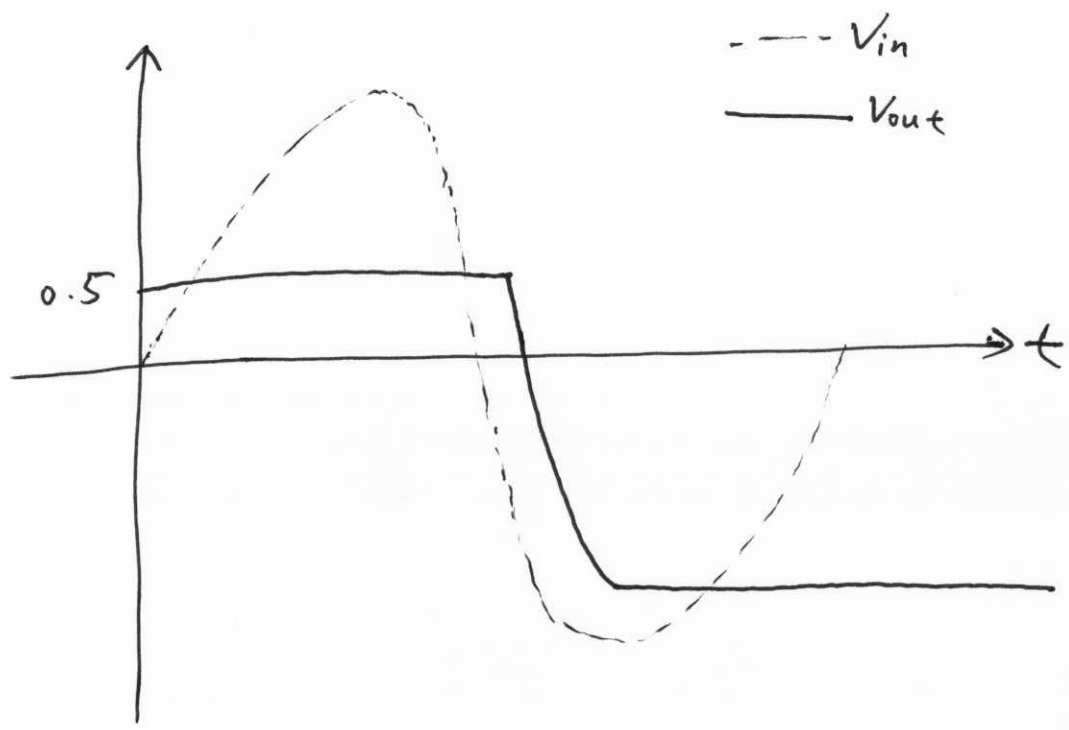
$$\begin{aligned} \text{c) } \quad i_{r1} &= i_{in} \\ &= 0.1 \text{ mA} \end{aligned}$$

$$\begin{aligned} \text{d) } \quad i_{r1} &= i_{in} \\ &= 0.1 \text{ mA} \end{aligned}$$

34



35



(36) From eq. (3.80),

$$\text{Ripple amplitude, } V_R \approx \frac{V_p - V_{D, \text{on}}}{R_L C f_{in}}$$

$$= \frac{3.5 - 0.8}{10 \cdot 1000 \times 10^{-6} \times 60}$$

$$= 0.45 \text{ V}$$

(37)

From Eq. (3.83),

$$V_R = \frac{I_L}{C f_{in}}$$

$$\therefore V_R \leq 300 \text{ mV}$$

$$\frac{I_L}{C f_{in}} \leq 300 \text{ mV}$$

$$\therefore C \geq \frac{I_L}{f_{in} \times 0.3}$$

$$C \geq \frac{0.5}{60 \times 0.3}$$

$$\text{i.e. } C \geq 0.278 \text{ F}$$

38) - This circuit would fail to function as a full-wave rectifier.

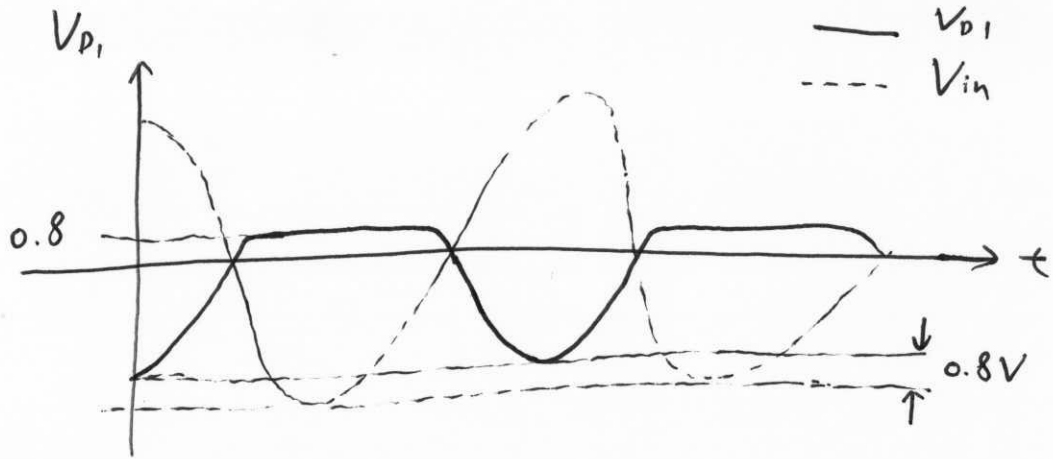
- It only rectifies for $V_{in-} > V_{in+}$
(Current flows through D_1 and D_2)

- But for $V_{in+} > V_{in-}$, there is no conduction path through the load.

- Thus, this circuit behaves like a half-wave rectifier

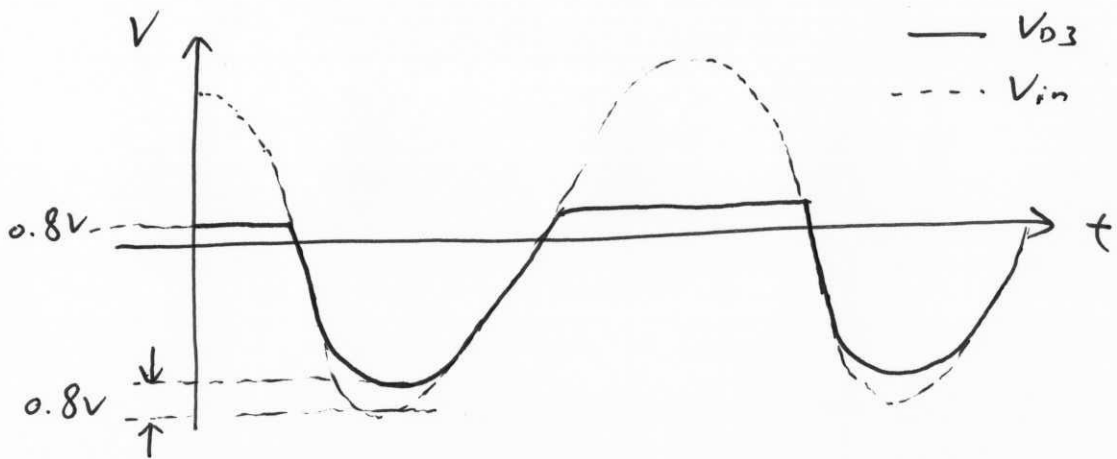
39

(i)

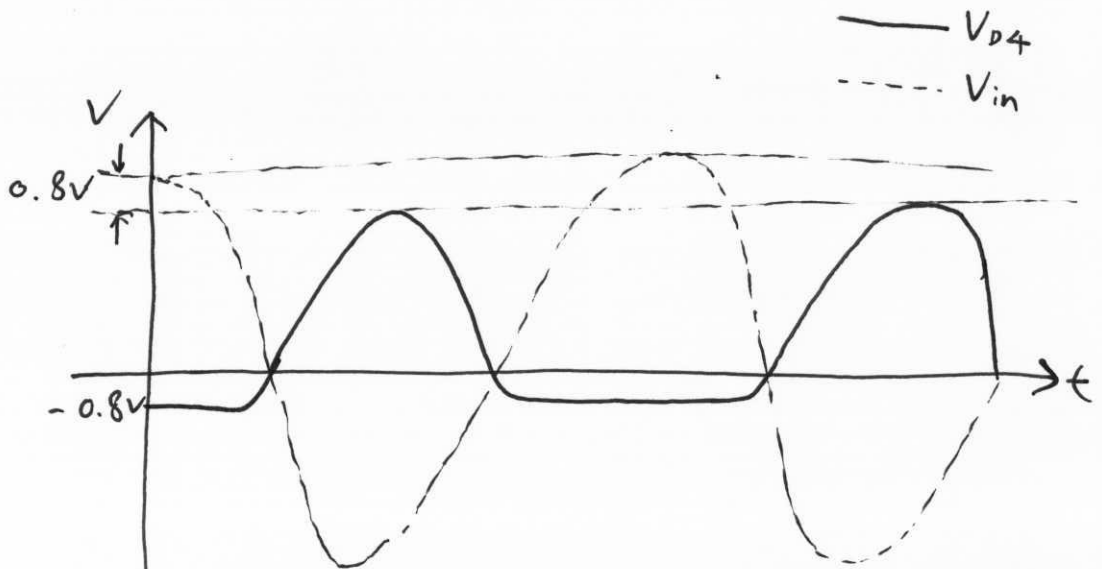


(ii) V_{D2} is same as V_{D1} (above)

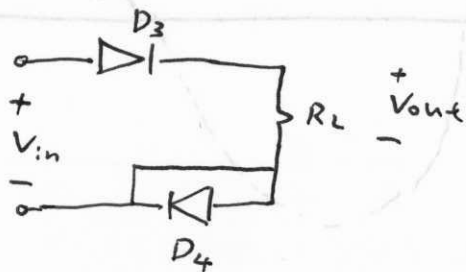
(iii)



(iv)

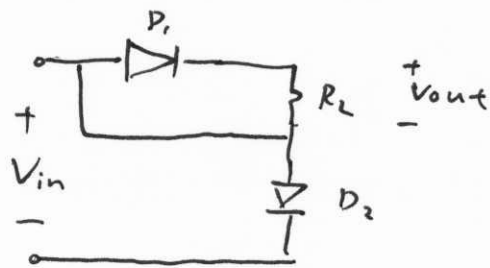


(40) In the positive half of the cycle, when $V_{in+} > V_{in-}$, the circuit is operating as :



D_4 is shunted, and $D_3 - R_L$ forms a half-wave rectifier.

In the negative half of the cycle, when $V_{in-} > V_{in+}$, the circuit becomes :



D_1 is shunted and is off.

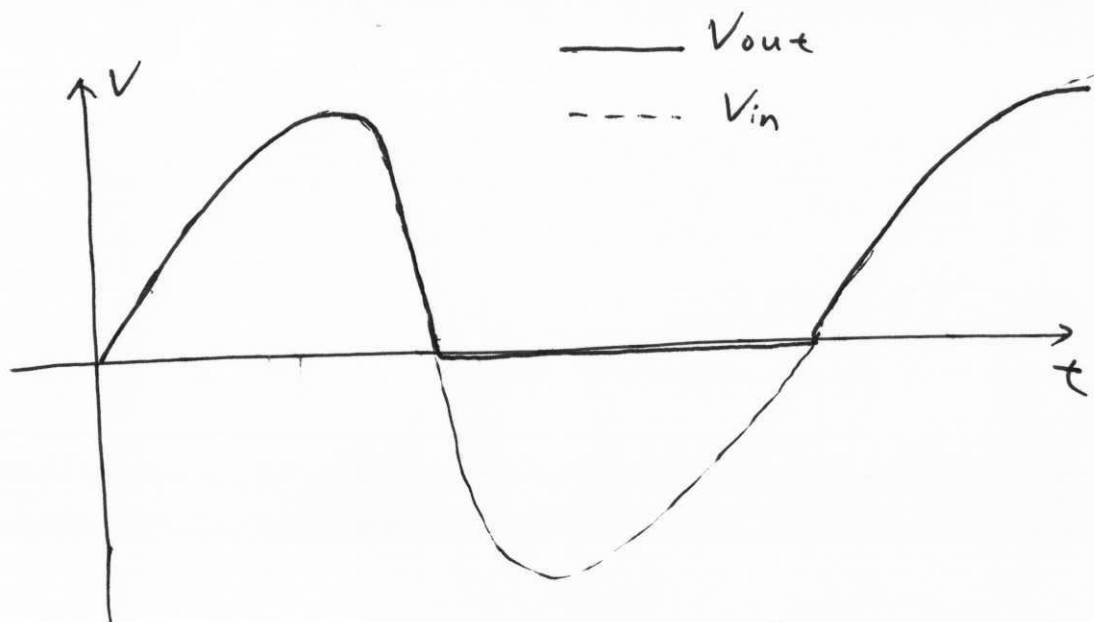
Thus, $V_{out} = 0$.

Shunting the resistor load with a capacitor has no effect in the above two cases.

④ Using Eq. (3.94),

$$\begin{aligned}V_R &\approx \frac{1}{2} \cdot \frac{V_P - 2 V_{P,ON}}{R_L C_1 f_{in}} \\&= \frac{1}{2} \cdot \frac{3 - 2 \times 0.8}{30 \times 1000 \times 10^{-6} \times 60} \\&= 0.389V\end{aligned}$$

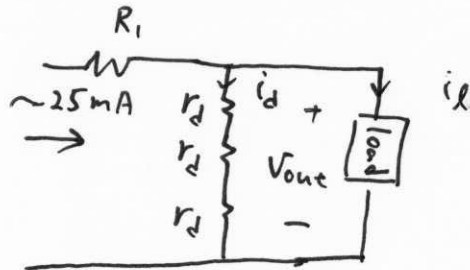
(42)



- With the two negative terminals shorted together, the circuit behaves like a half-wave rectifier.
- When $V_{in+} > V_{in-}$, D_3 and D_4 conduct as usual. There will be an additional path that bypasses D_4 , since V_{in-} and V_{out-} are shorted. But this additional path causes no change to the V_{out} waveform.
- When $V_{in-} > V_{in+}$, both V_{out+} and V_{out-} track V_{in-} . V_{out+} connects to V_{in-} through D_1 ; V_{out-} connects to V_{in-} through the additional shorted path.
- Thus $(V_{out+}) - (V_{out-}) = 0$, i.e. $V_{out} = 0$
for $V_{in-} > V_{in+}$.

43

The circuit can be simplified as:



First, find r_d :

$$r_d = \frac{V_T}{I_D} \quad (\text{from eq. 3.60})$$

$$= \frac{26\text{mV}}{5\text{mA}}$$

$$= 5.2\ \Omega$$

Since $i_l = +1\text{mA}$.

$$i_d = -1\text{mA}.$$

\therefore change in V_{out} ,

$$\text{ie. } V_{out} = (-1\text{mA})(3 \times 5.2)$$

$$= -15.6\text{mV}$$

(44)

a) From Eq. (3.94),

$$\begin{aligned} \text{the ripple amplitude, } V_R &= \frac{1}{2} \cdot \frac{V_p - 2V_{p, \text{on}}}{R_L C_f f_n} \\ &= \frac{1}{2} \cdot \frac{5 - 2 \times 0.8}{1000 \times 100 \times 10^{-6} \times 60} \\ &= 0.283 \text{ V} \end{aligned}$$

b) The ripple across the load,

$$V_L = i \times 3r_d,$$

where i is the change in current flowing through R_L , in series with the 3 diodes.

$$\begin{aligned} \therefore r_d &= \frac{V_T}{I_D} \\ &\approx \frac{26 \text{ mV}}{5/R_L} = 5.2 \Omega \end{aligned}$$

$$\begin{aligned} i &\approx \frac{V_R}{R_L + 3r_d} \\ &= 0.279 \text{ mA} \end{aligned}$$

$$\begin{aligned} \therefore V_L &= 0.279 \text{ mA} \times 3 \times 5.2 \\ &= 4.35 \text{ mV} \end{aligned}$$

(45) With positive threshold = +2.2V,

$$V_{B1} = 2.2 - 0.8$$

$$= +1.4V //$$

With negative threshold = -1.9V,

$$-V_{B2} = -1.9 + 0.8$$

$$= -1.1V.$$

$$V_{B2} = 1.1V //$$

To meet the maximum current criterion,

Since $I_{R1} = I_{D1}$ or I_{D2} ,

I_{D1} or I_{D2} is at max when

I_{R1} is at max.

I_{R1} is at max when $|V_R|$ is max,

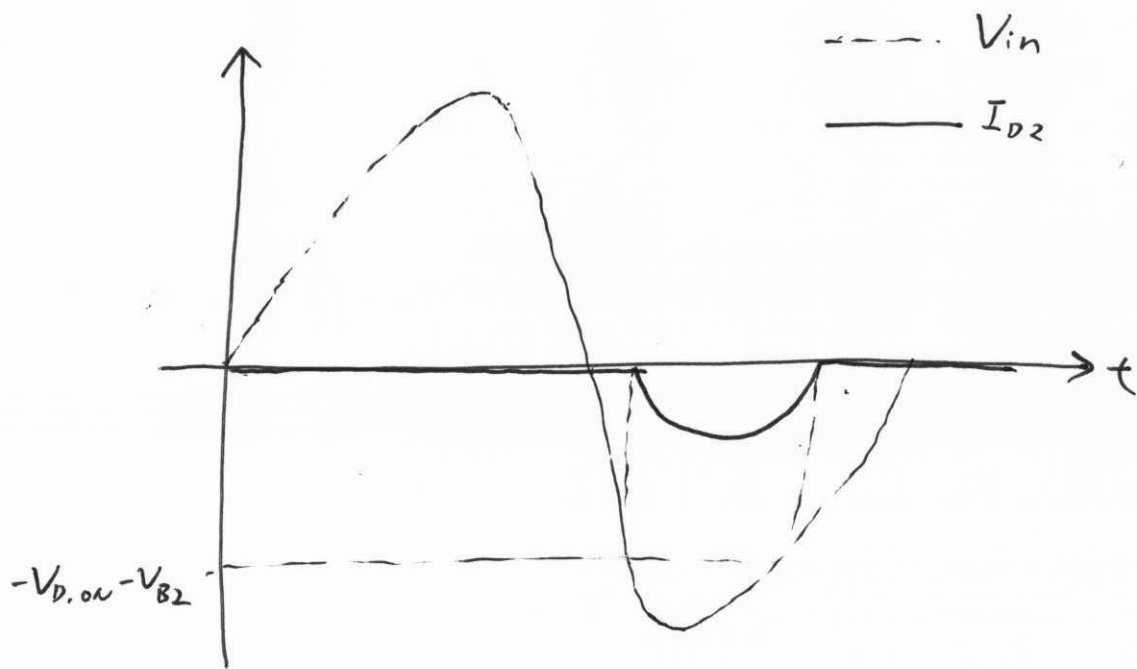
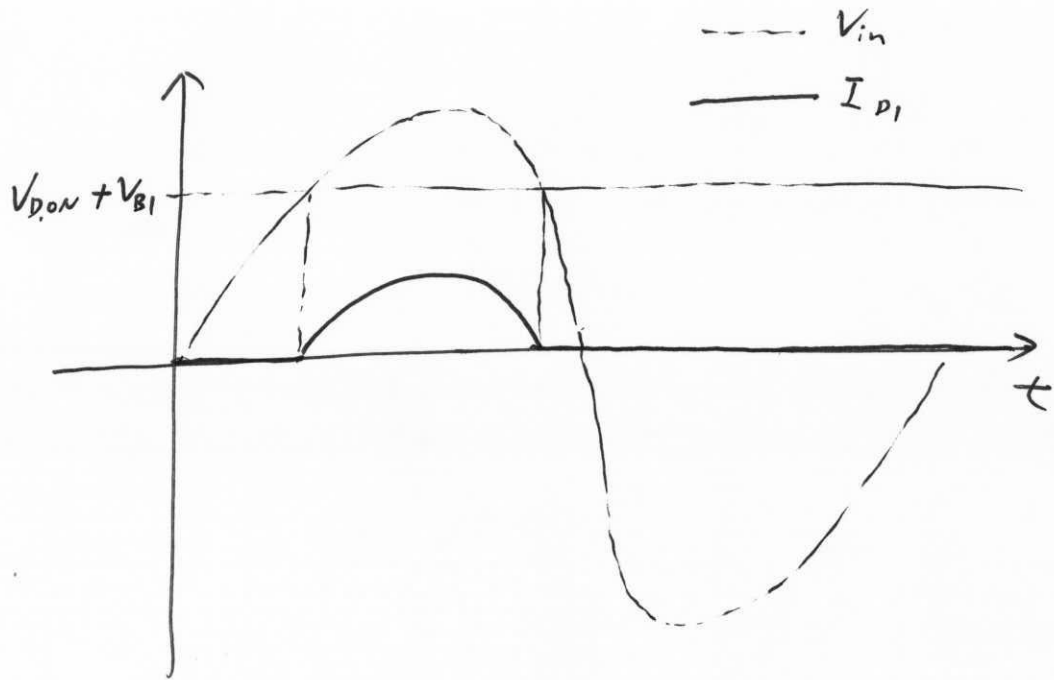
$$\text{ie. } |V_R| = 5 - 1.9$$

$$= 3.1V.$$

Since $I_{R1} \leq 2 \text{ mA}$.

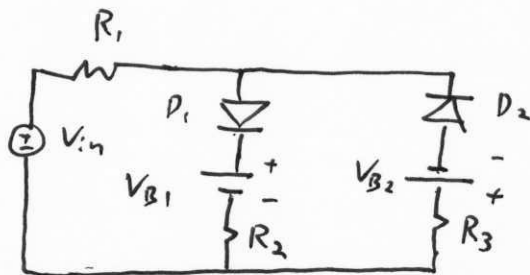
$$R_1 \geq \frac{3.1}{2 \text{ mA}}, \text{ ie. } R_1 \geq 1550\Omega //$$

45



(47)

The required circuit is:



Similar to Example 3.34,

$$\begin{aligned} V_{B1} &= V_{B2} = (2 - 0.8) \text{ V} \\ &= 1.2 \text{ V} \end{aligned}$$

To find R_2 ,

For $V_{in} > 2\text{V}$, $\frac{V_{out}}{V_{in}}$ has a slope of 0.5.

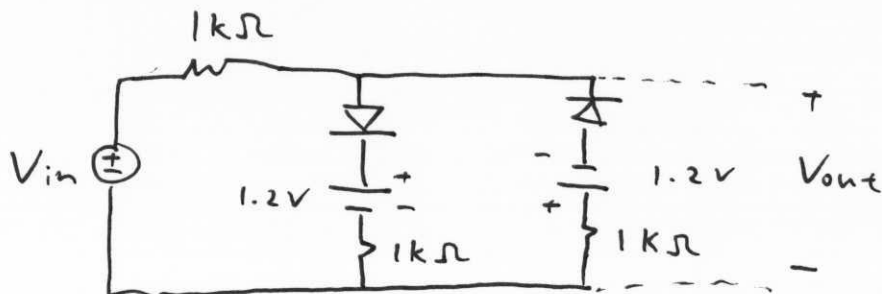
This implies $R_2 = R_1$

(R_1 and R_2 forms a volt. divider).

Similarly, $R_3 = R_1$.

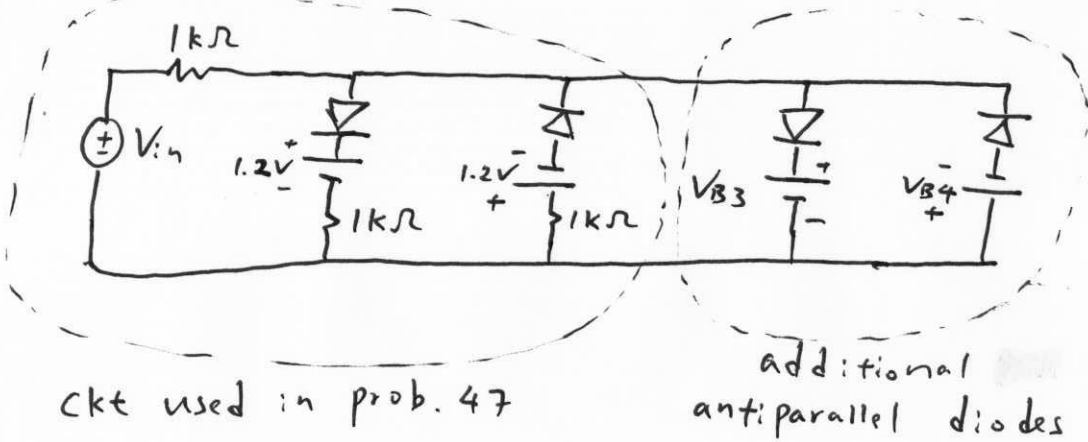
Thus, set $R_1 = R_2 = R_3 = 1 \text{ k}\Omega$.

The resulting circuit is:



(48) For $|V_{in}| < 4V$, the $V_{out} - V_{in}$ characteristic is similar to prob. (47).

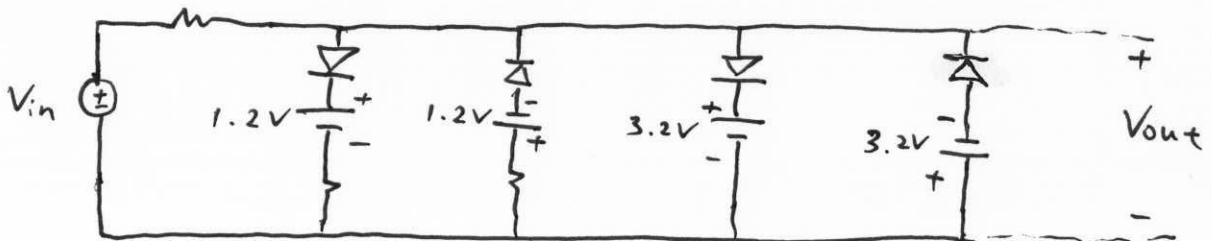
To get voltage limiting characteristic for $V_{in} > 4V$, and $V_{in} < -4V$, we can shunt the circuit used in prob(47) with two anti-parallel diodes as below:



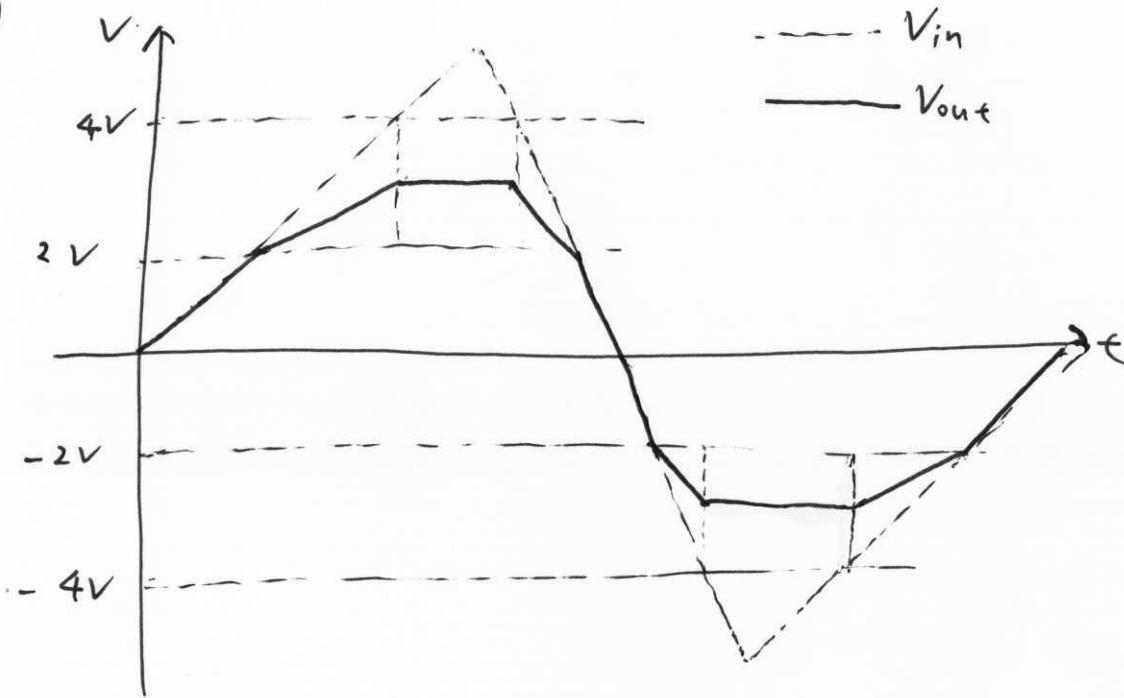
$$V_{B3} = V_{B4} = 4 - 0.8$$

$$= 3.2V$$

Resulting circuit is:



(49)



To get a better approximate of a sinusoid, the slope of the input-output characteristic should decrease more gradually from 1 to 0 through more sections.

